

Crystal-Assisted Virtual X-Ray Spectroscopy

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Resonant Excitation with Virtual Photons · · · · Atomic & Nuclear Systems

$$\Delta E = h\nu = \gamma n h \nu / a \quad (10^{-15} \times 10^8 / 10^{-10} \text{ n}\gamma = 10^3 \text{ n}\gamma \text{ eV})$$

High Resolution · · · · 20ppm (->1ppm)

Absolute Value

High Sensitivity · · · · Highly Charged Ions, Short Lived Ions, etc

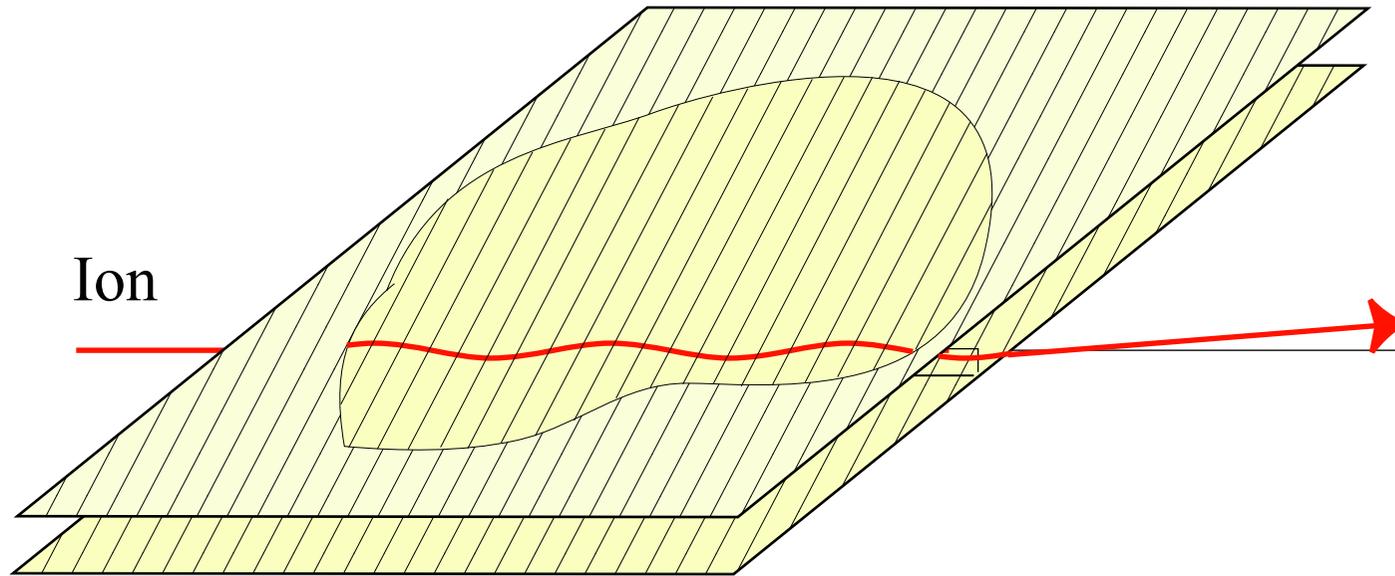
X-ray Dressed States

V.V.Okorokov : Yad. Fiz. 2,1009(1965) [Sov. J. Nucl. Phys. 2, 719(1966)]

S.Datz et al. : Phys. Rev. Lett. 40, 843(1978)

T.Azuma et. al. : Phys. Rev. Lett. 83, 528(1999)

Resonant Coherent Excitation under Planar Channeling Condition



$$E = \frac{\gamma h n}{a} \left(\frac{k \cos \theta}{A} + \frac{l \sin \theta}{B} \right)$$

θ : angle between ion velocity & crystal string in the plane

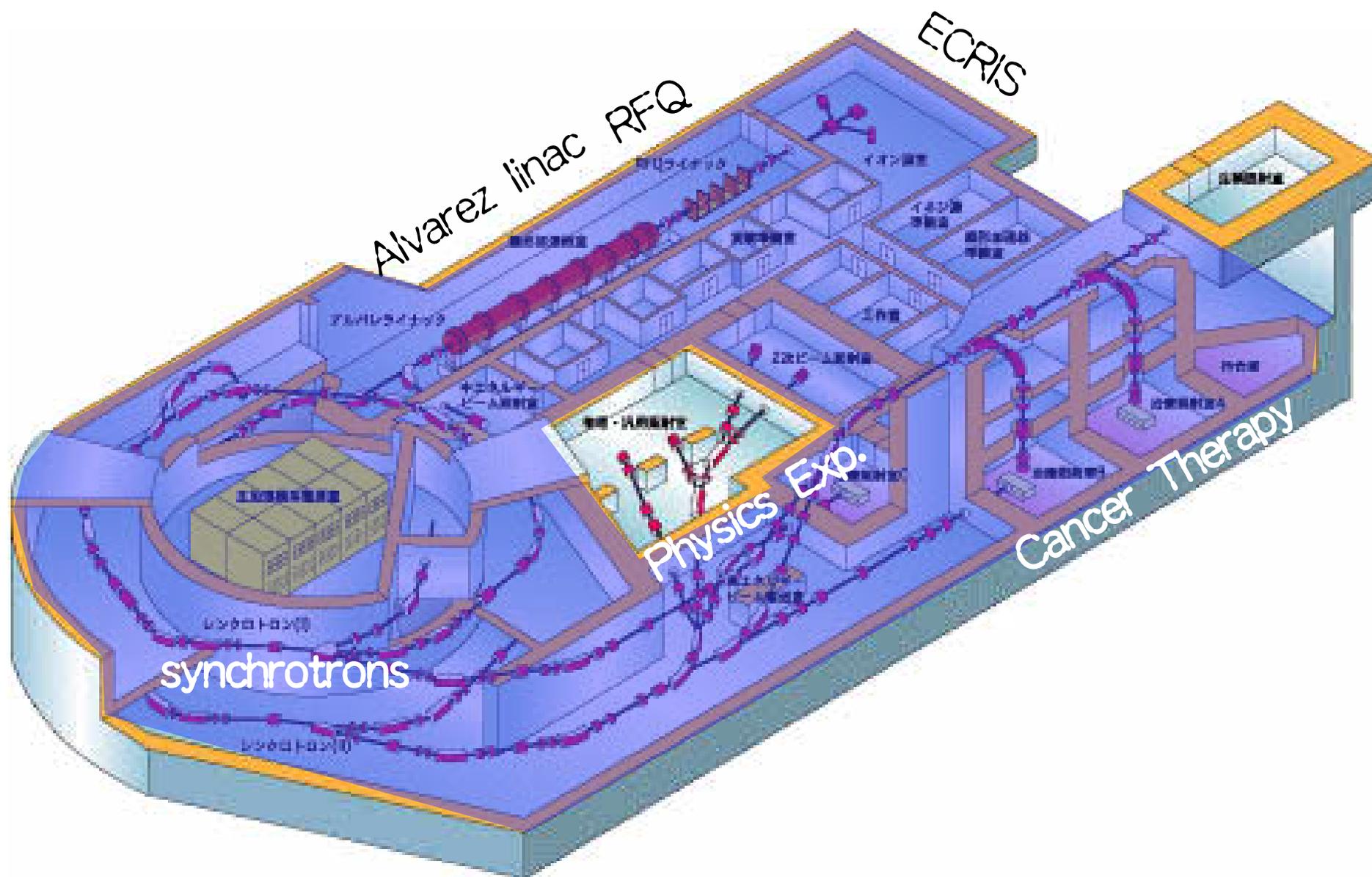
$$\gamma = (1 - (v/c)^2)^{-1/2}$$

a : lattice constant

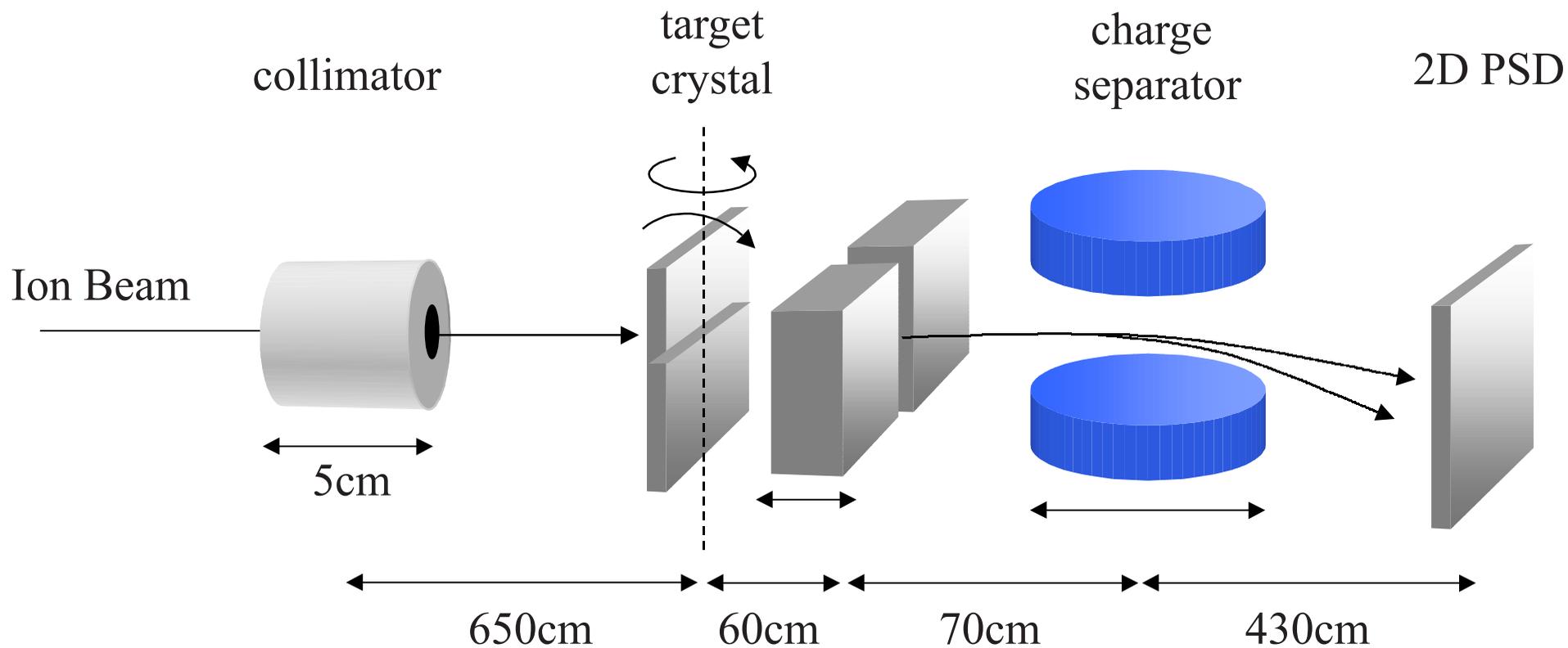
v : ion velocity

k, l : integer

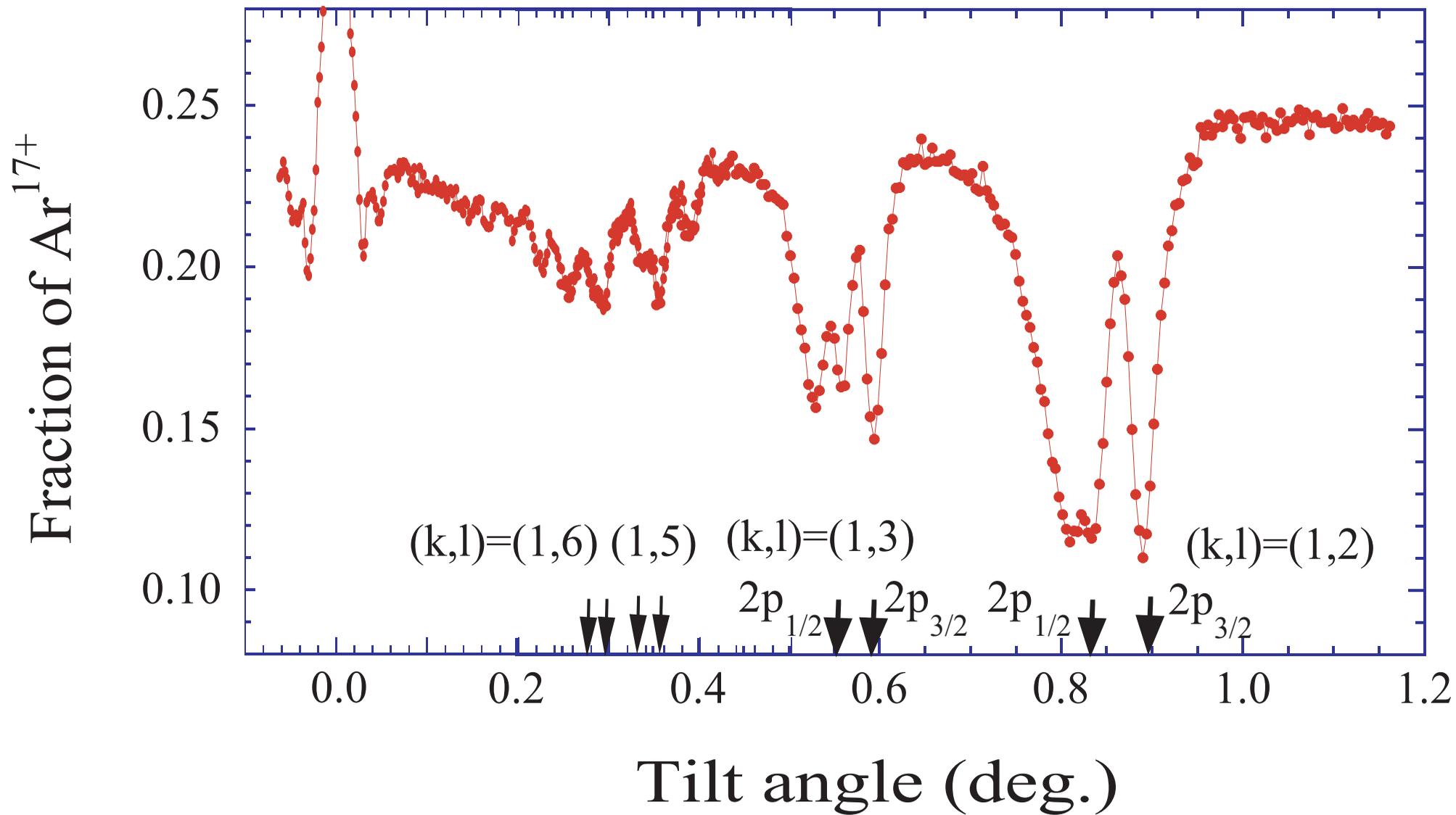
HIMAC Accelerator Configuration

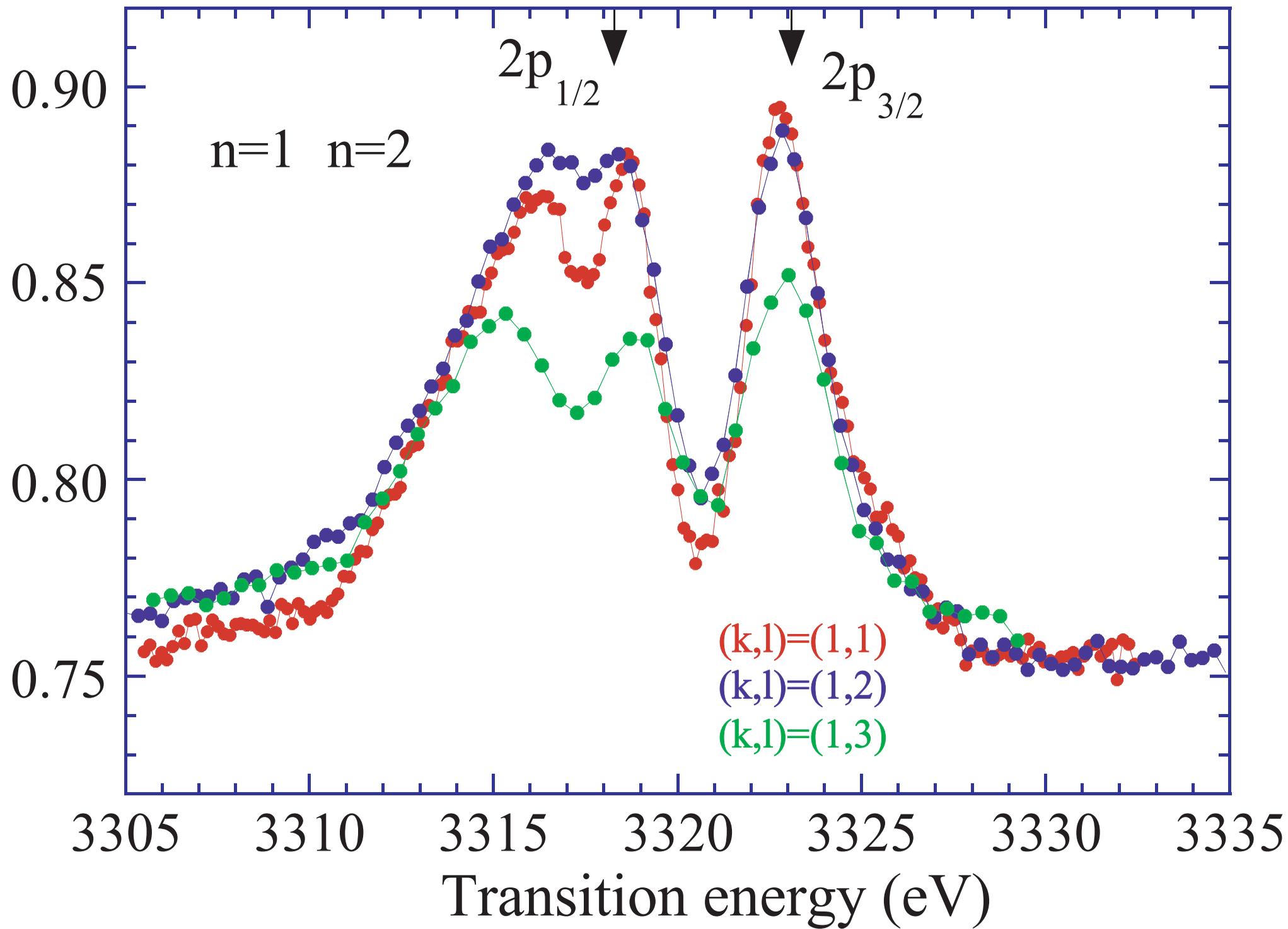


Experimental Setup for Virtual Photon Spectroscopy

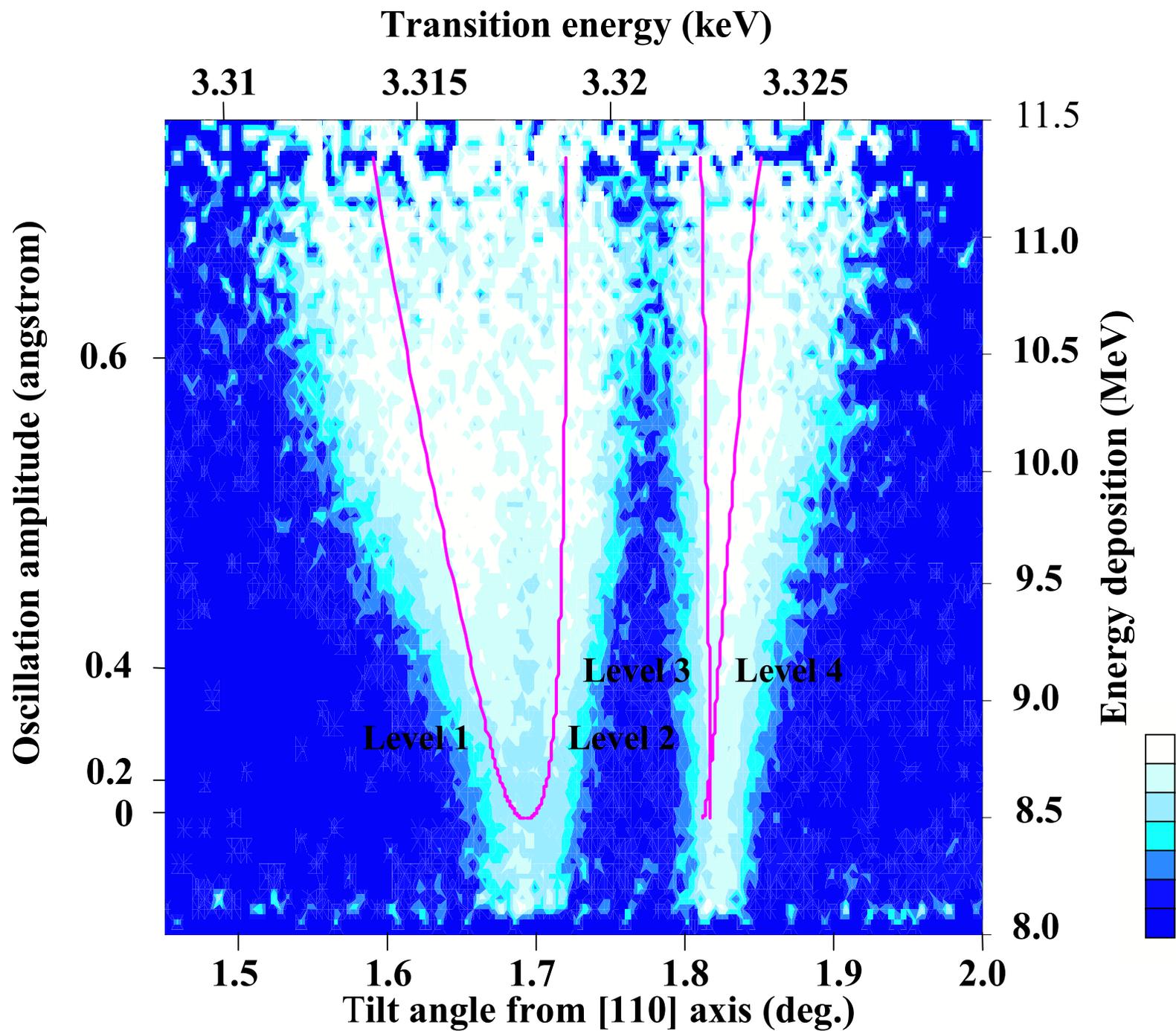


390MeV/u Ar + Si(220)

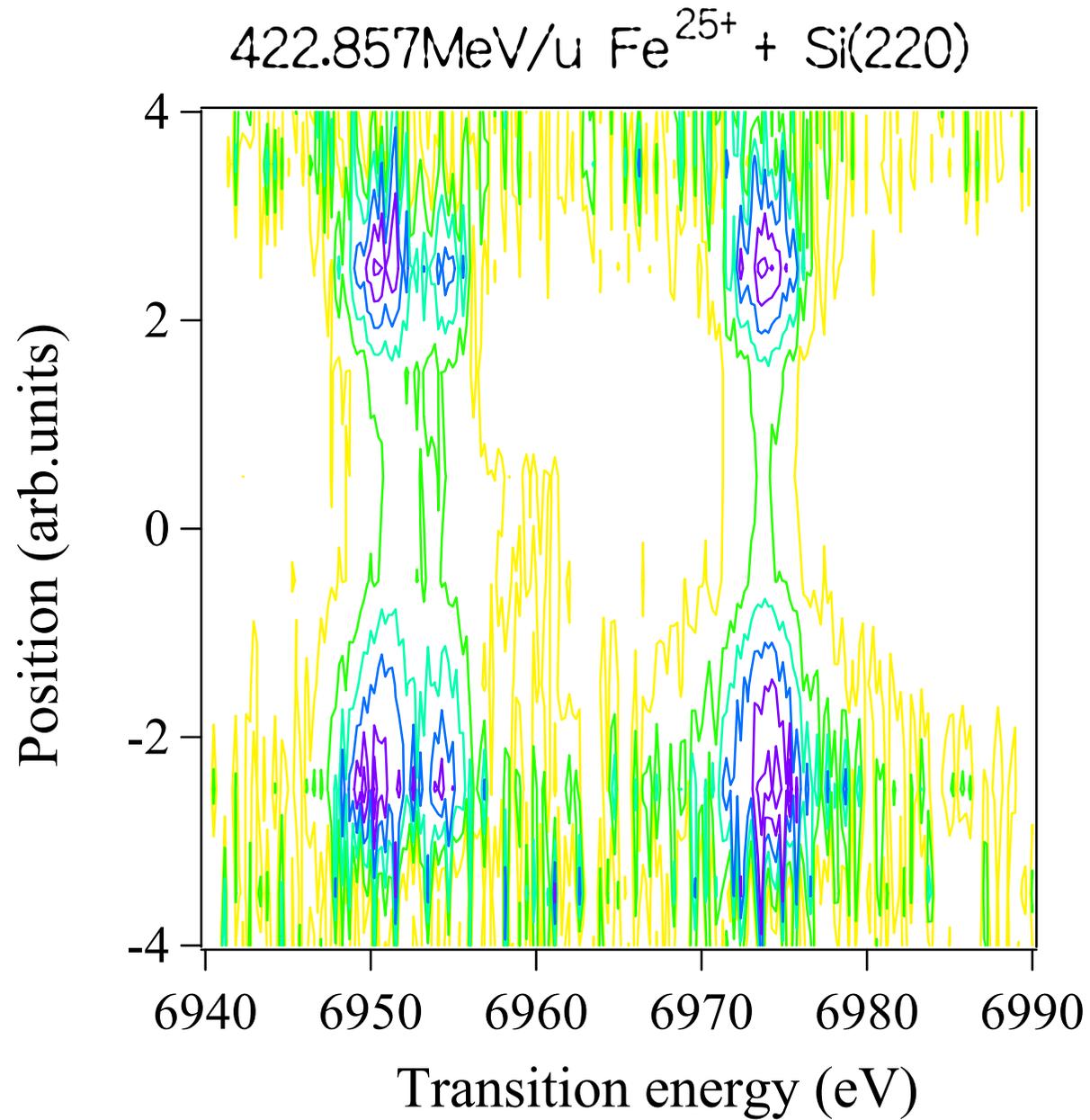




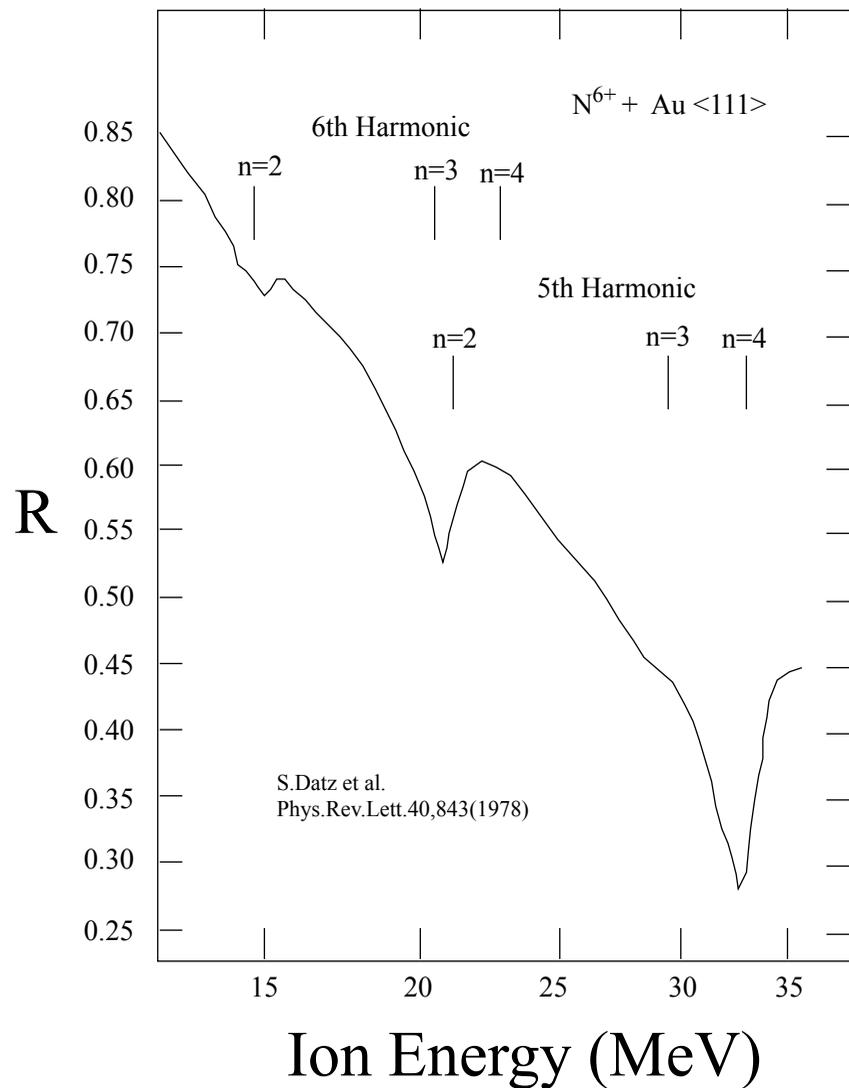
Deposition Energy Differential Excitation



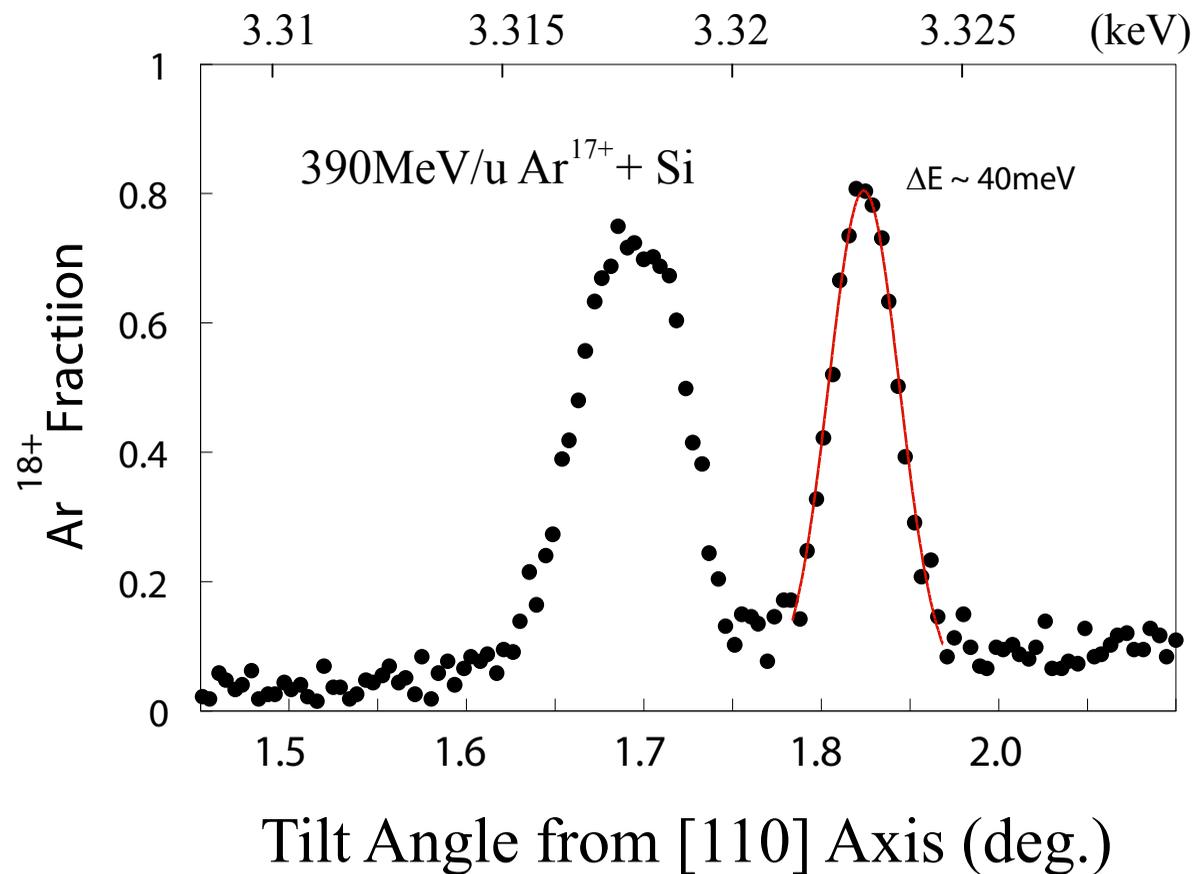
Emission Angle Differential Excitation



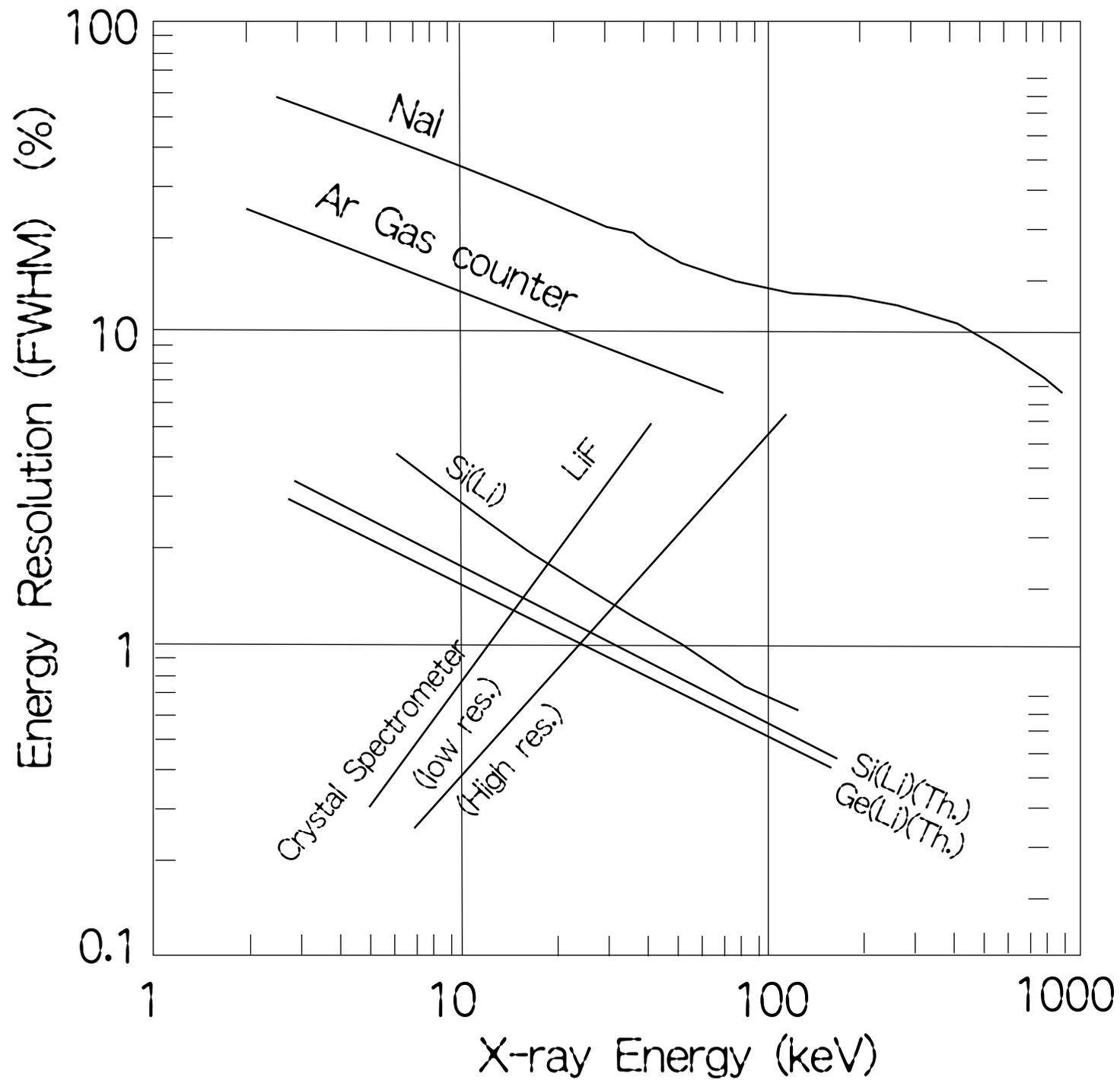
$$\Delta E/E_{FWHM} \sim 6\%$$



$$\Delta E/E_{FWHM} \sim 600\text{ppm}$$



S.Datz e al., Phys.Rev.Lett.40,843(1978)



Corrections : Crystal Potential

$$\Delta\varepsilon = \langle 1s|U|1s\rangle - \langle n|U|n\rangle \sim k(n^2/q)^2/2 \quad (\sim 0.4\text{eV for Ar } 1s\text{-}2p \text{ in Si})$$

Rabi Oscillation :

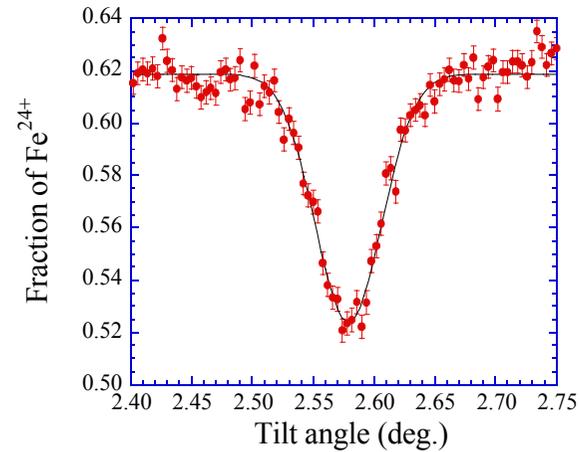
$$\tau = 2M^2 \sin(\Omega t)/\Omega \quad (\sim 6\mu\text{m for } 390\text{MeV/u Ar in Si})$$

$$\text{where } \Omega = (\Delta^2 + 4M^2)^{1/2}, \Delta = (\varepsilon_2 - \varepsilon_1) - 2\pi n \gamma v/a$$

$$\text{(Virtual-) Photon Flux } \sim 10^{24} \text{ photons/mm}^2/\text{sec/eV}$$

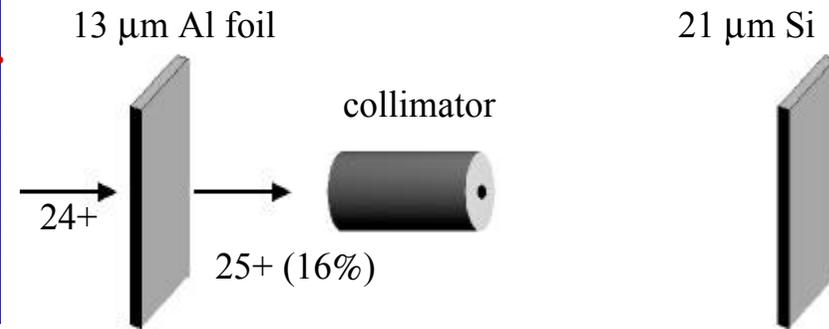
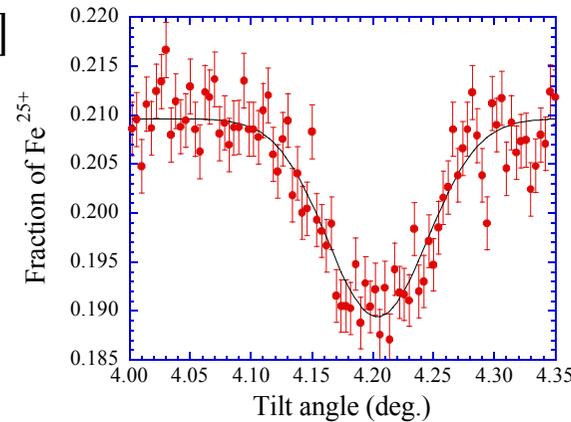
Spectroscopy of He-like Fe^{24+} ion

(1) Observation of RCE of Fe^{24+}
 $[1s^2 \rightarrow 1s2p \ ^1P_1]$



(2) Observation of RCE of Fe^{25+}
 $[1s \rightarrow 2p(j=3/2)]$

θ, E_{trans} (theory)
 \Downarrow
 ion velocity v



Fe^{24+}	Cheng et al Rel. CI PRA50,2150('94)	Drake Unif. th. Can. J.Phys. 66,586('88)	Plante et. al. All-order unpub. ('94)	Indelicate et al. MCDF J.Phys.B20, 651('87)	Beiersdorfer et al. PRA40,150('89)	Briand et al. PRA29,3143('84)	present
1P_1	6700.539	6700.404	6700.427	6700.603	6700.73 +- 0.20	6700.90 +- 0.25	6700.22 +- 0.16
3P_1	6667.692	6667.552	6667.567	6667.669		6667.50 +- 0.25	6667.52 +- 0.17
Ar^{16+}	Cheng et al Rel. CI PRA50,2150('94)	Drake Unif. th. Can. J.Phys. 66,586('88)	Plante et. al. All-order unpub. ('94)	Indelicate et al. MCDF J.Phys.B20, 651('87)	Deslattes et al. J.Phys.B17 L689('84)	Briand et al. PRA28,1413('83)	present
1P_1	3139.617	3139.577	3139.582	3139.649	3139.55 +- 0.04	3139.57 +- 0.25	3139.27 +- 0.15
3P_1	3123.574	3123.530	3123.534	3123.567	3123.52 +- 0.04	3123.60 +- 0.25	3123.30 +- 0.16

Limiting Factors of the Resolution

Coherent Length:

$$l_{\text{ion}} \sim (q^4 \rho_{\text{el}} \sigma_{\text{ion}} (v/q) / n^4)^{-1} \quad (\sim 15 \mu\text{m for } 390 \text{MeV/u Ar}(2\text{p}) \text{ in Si}[110])$$

$$l_{\text{dexc}} \sim 25(\gamma v / a^3 q^4) \quad (\sim 4.6 \mu\text{m for } 390 \text{MeV/u Ar}(2\text{p}) \text{ in Si}[110])$$

$$l_{\text{osc}} \sim v / \omega_{\text{osc}} \quad (\sim 2 \mu\text{m for } 390 \text{MeV/u Ar in Si}[110])$$

$$\omega_{\text{osc}} \sim (kq/m\gamma)^{1/2} \quad (U = kx^2/2: k \sim 0.033 \text{a.u. for Si}[110])$$

$$\Delta\varepsilon/\varepsilon \sim a/l_{\text{min}} \quad (\sim 10^{-5} \text{ for } 390 \text{MeV/u Ar in Si}[110])$$

Energy Loss:

$$\Delta v_{\text{E-loss}}/v \quad (\sim 3 \times 10^{-6} / \mu\text{m for } 390 \text{MeV/u Ar in Si}[110])$$

Thermal Expansion

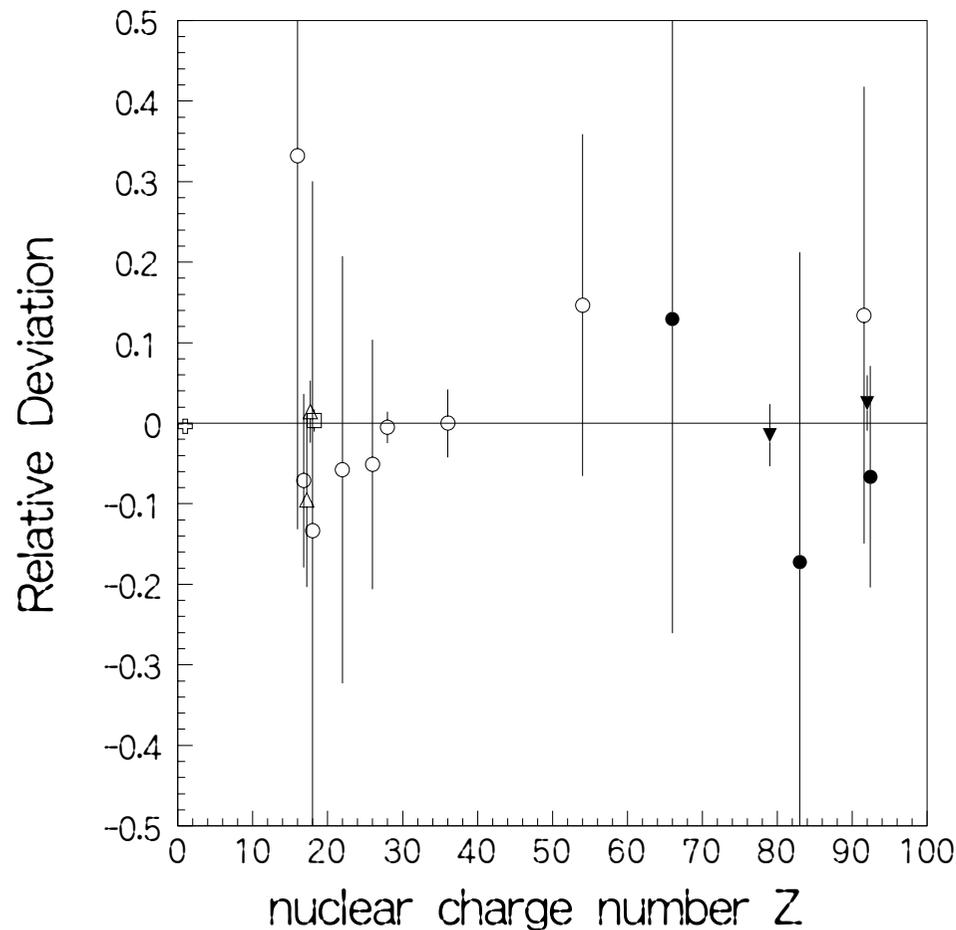
$$\kappa \quad (\sim 2.5 \times 10^{-6} / \text{K})$$

Case Study: Possible Accuracy of 1s Lamb Shift

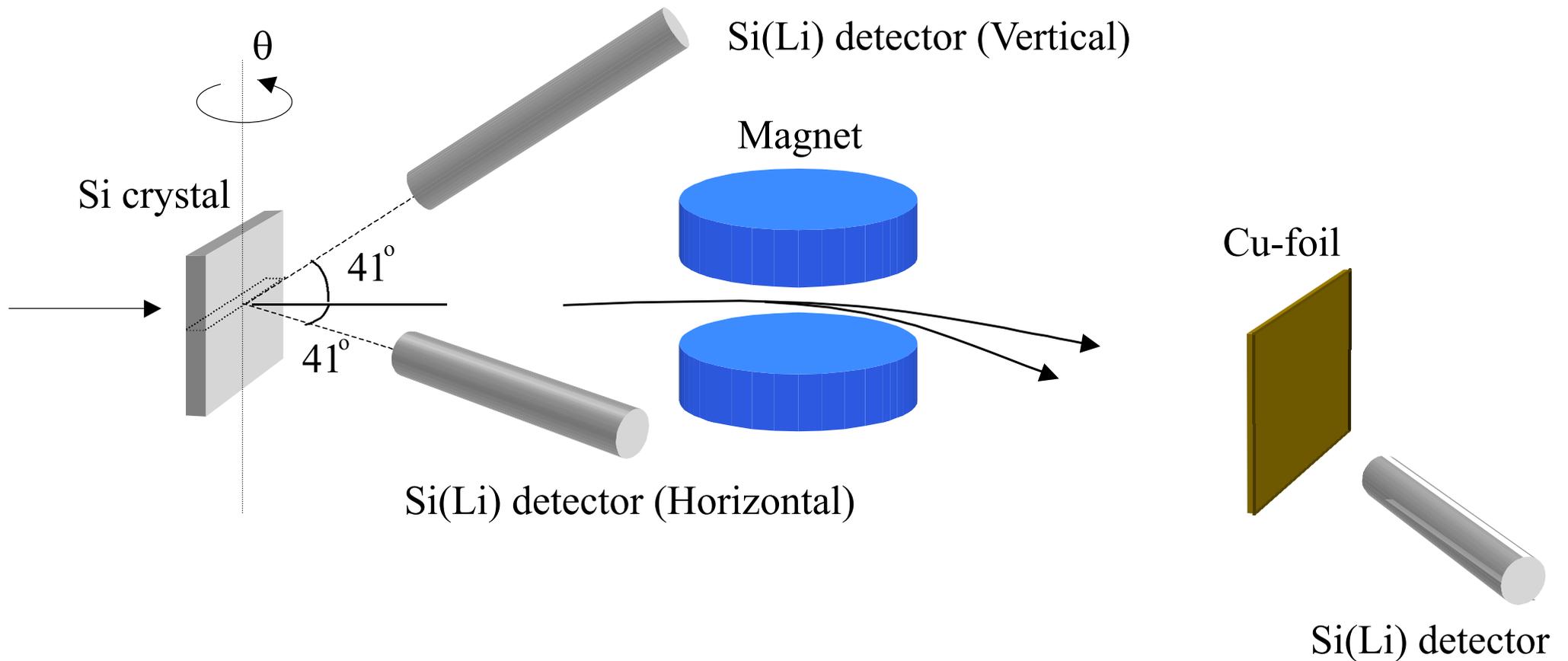
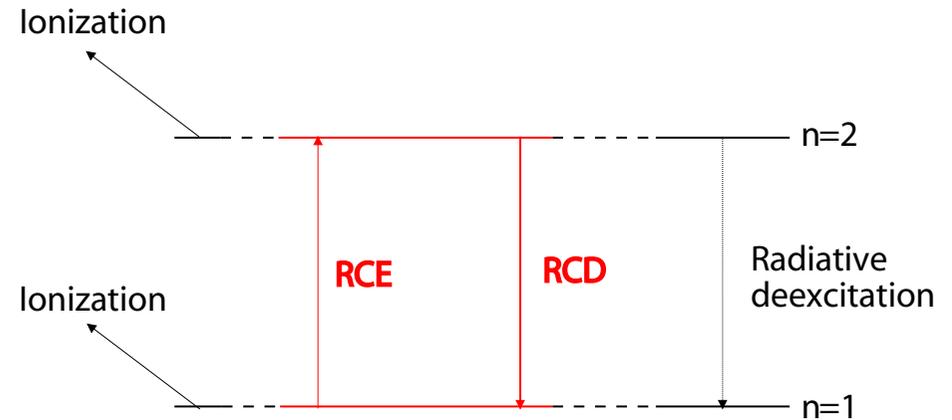
$$R_{\text{Lamb}} \sim \frac{\Delta E_{1s-2p}}{E_{1s-2p}} \sim 10^{-6} Z^4 \frac{R}{Z^2} \quad R \sim 10^{-6} Z^2$$

If ΔE_{1s-2p} is determined with the precision of ppm, relative accuracy of 1s Lamb shift could be

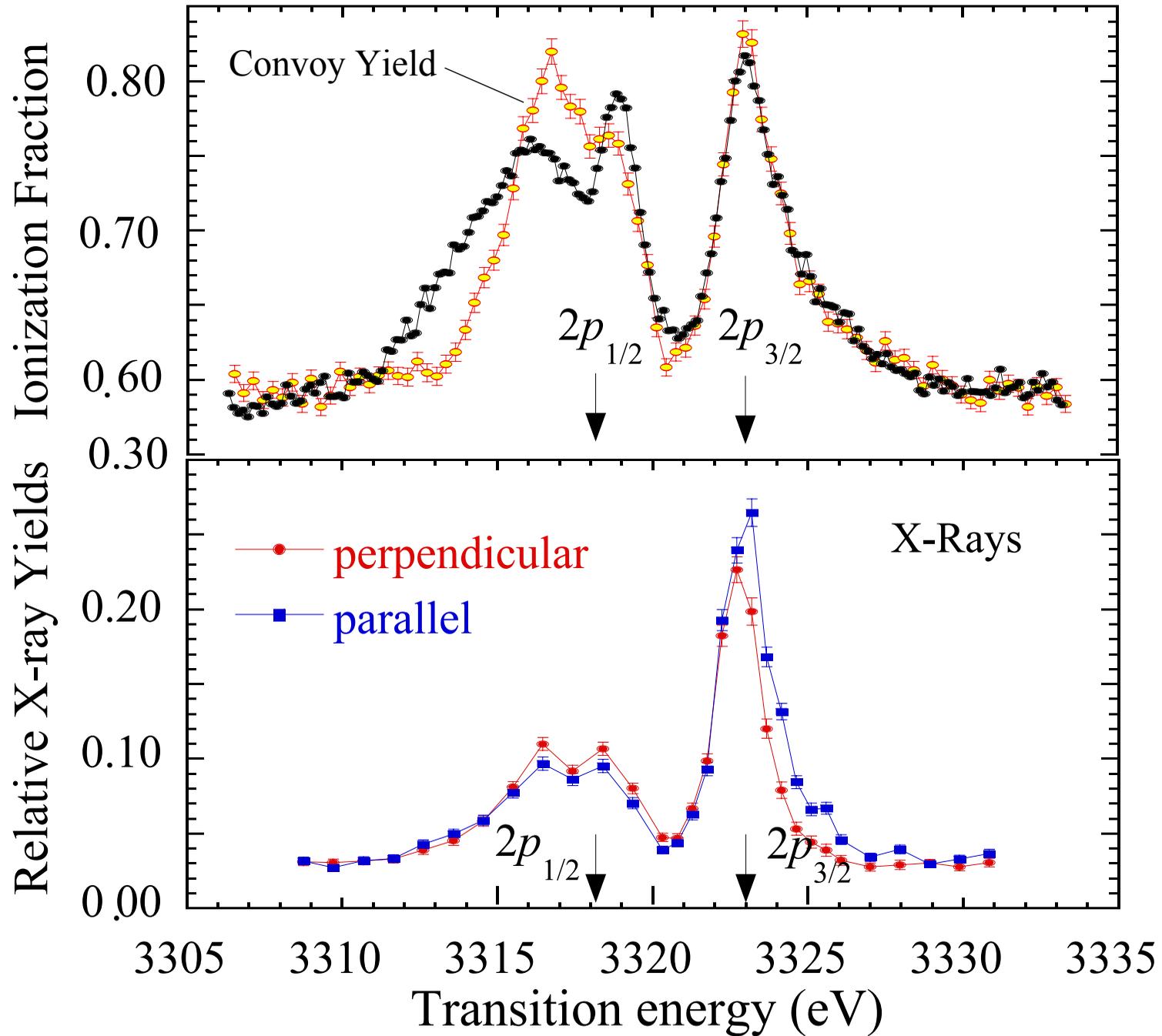
$$R_{\text{Lamb}} \sim \frac{\Delta E_{\text{Lamb}}}{E_{\text{Lamb}}} \sim Z^{-2}$$



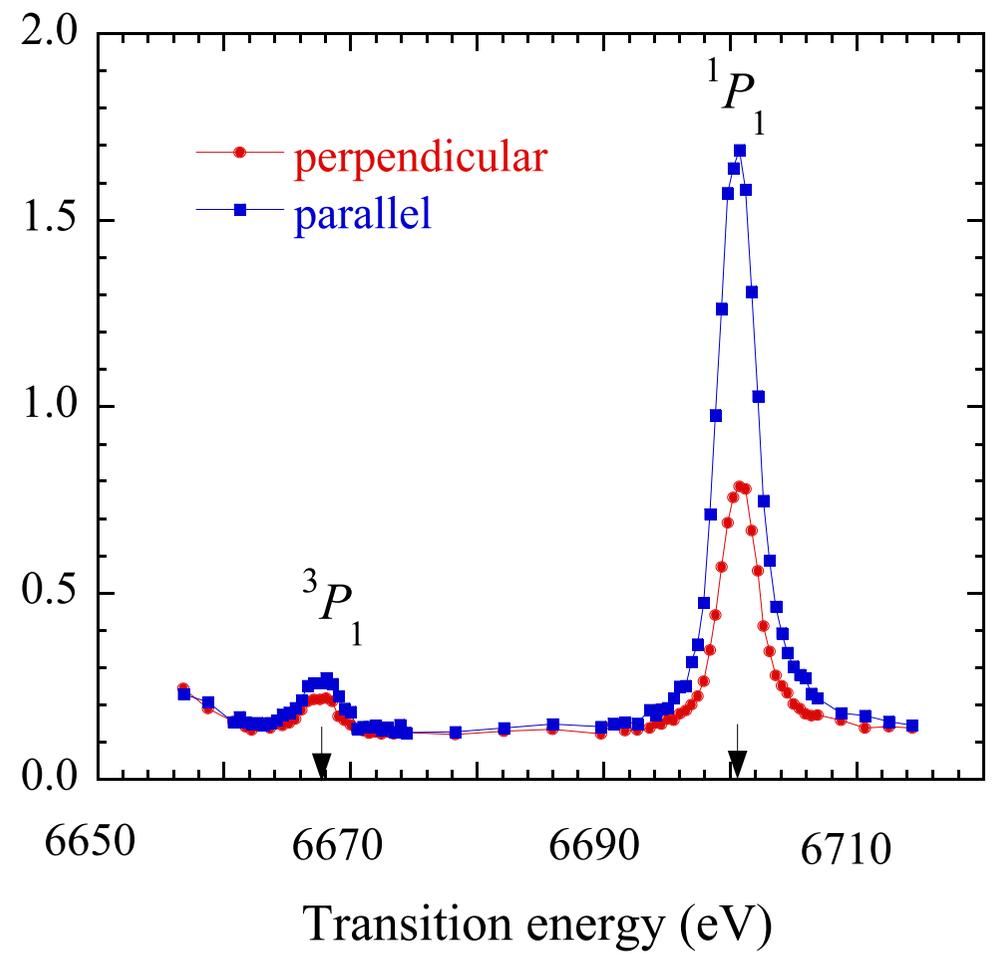
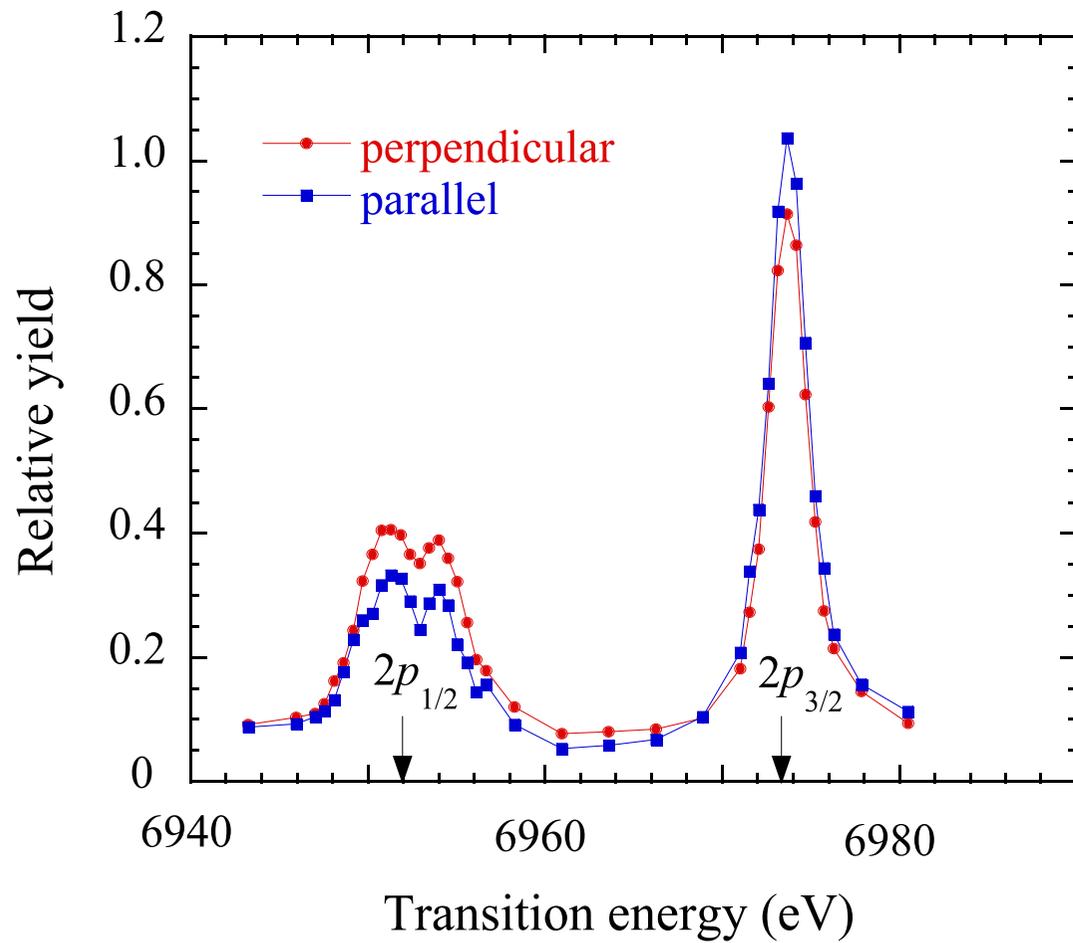
Excitation Dynamics : X-rays & Convoy Electrons

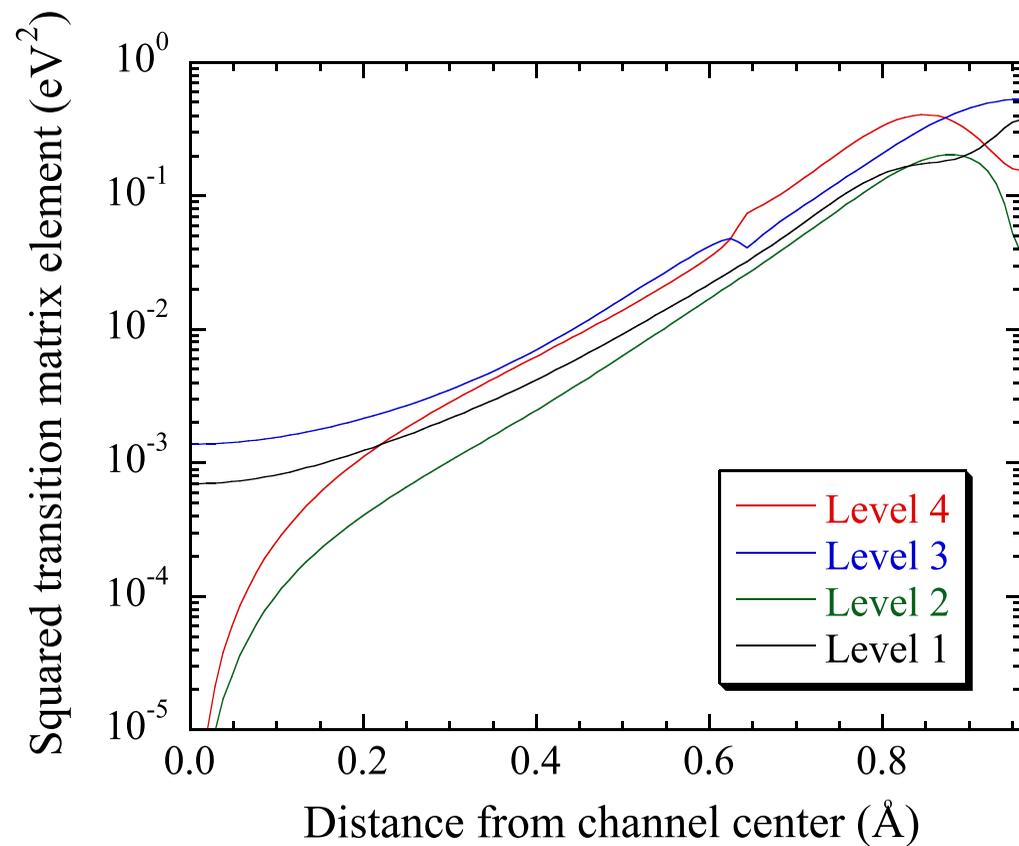
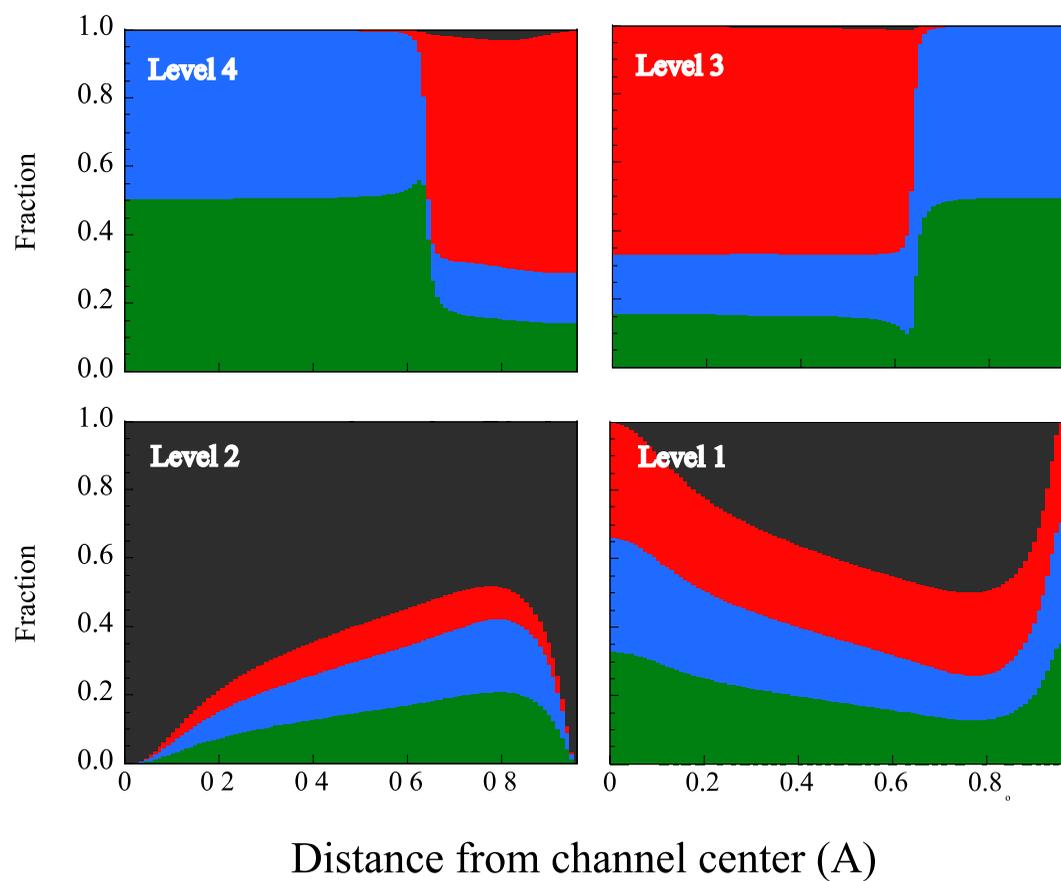


390MeV/u Ar¹⁷⁺ Resonance Profile for Charge State, Convoy, & X-ray Yields

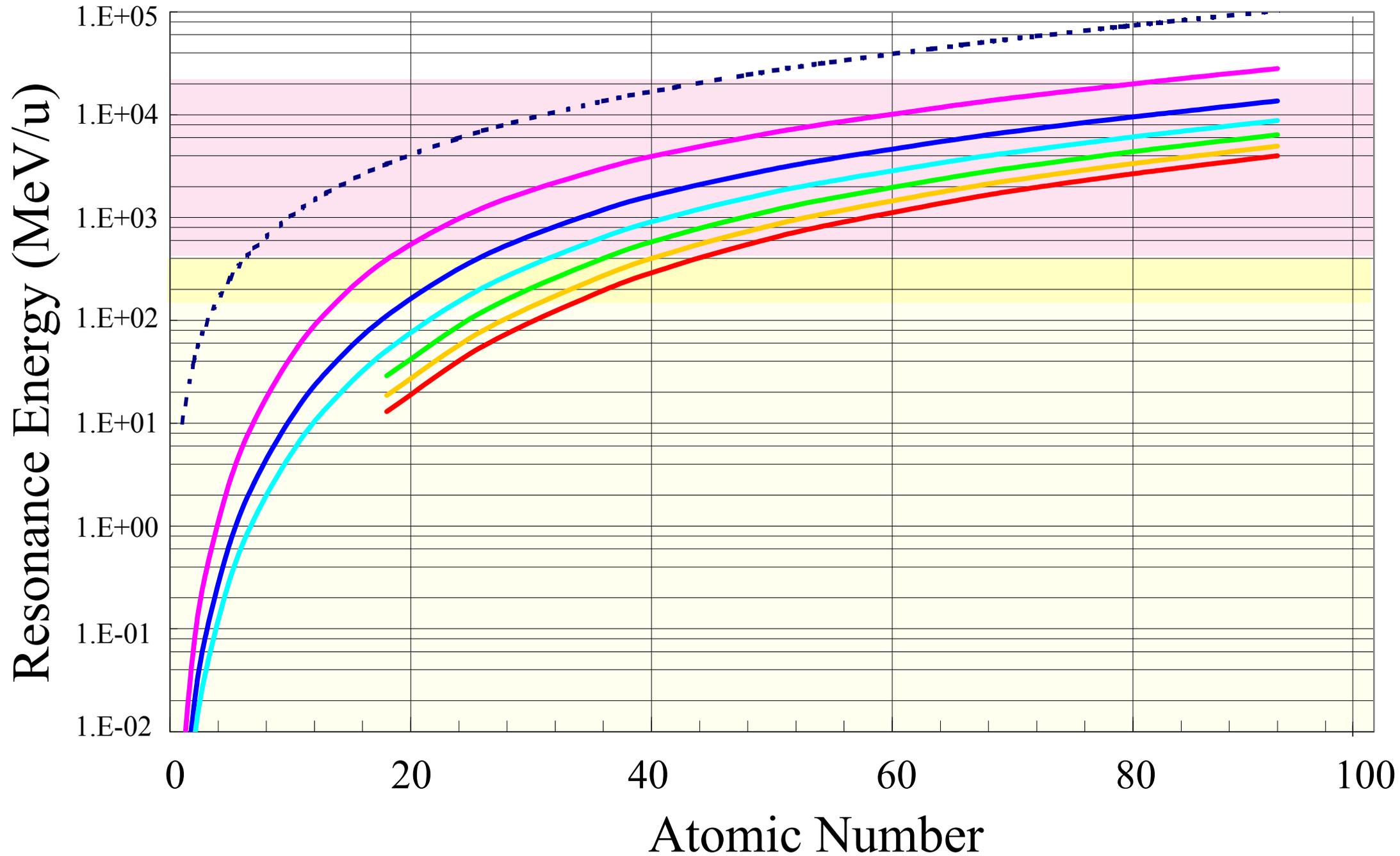


X-ray Emission from Fe^{25+} & Fe^{24+}

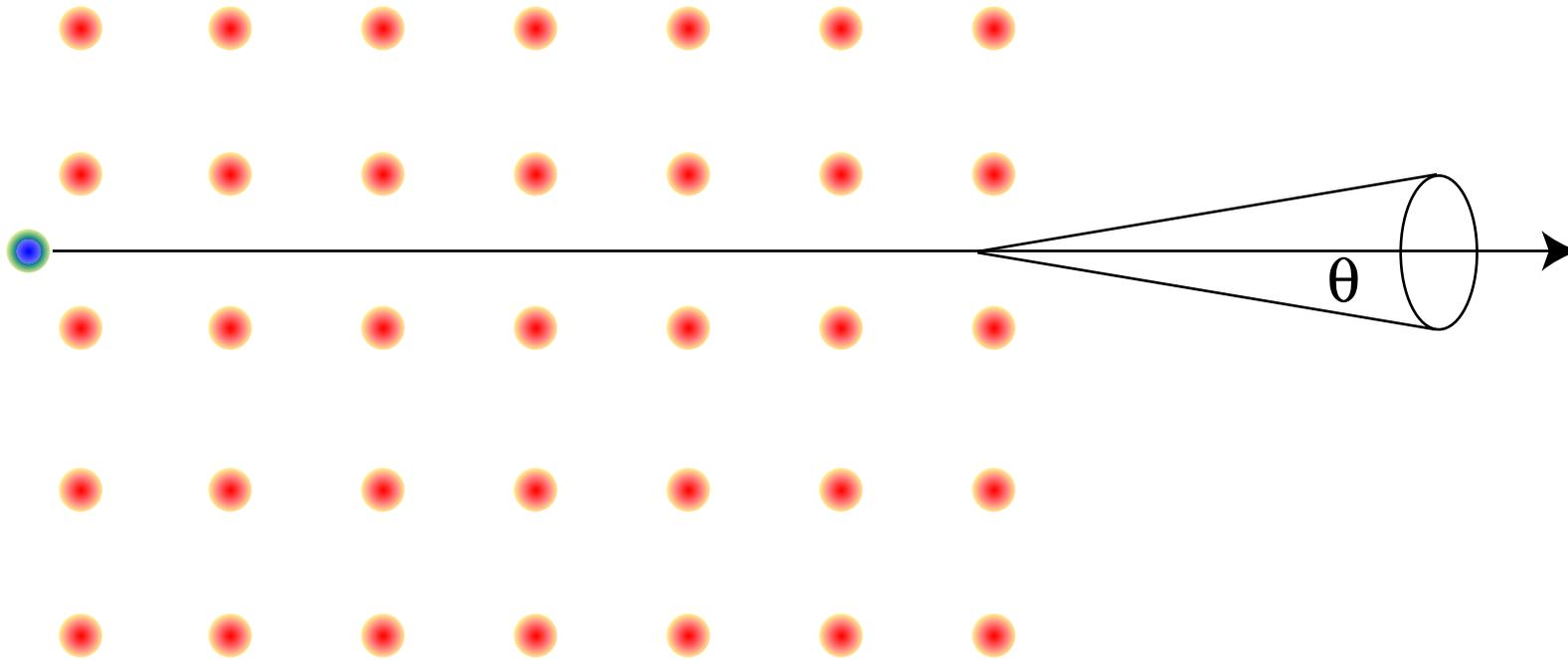




Resonance Energy of 1s-2p in Si[110]



X-ray energies from rce process for relativistic ions

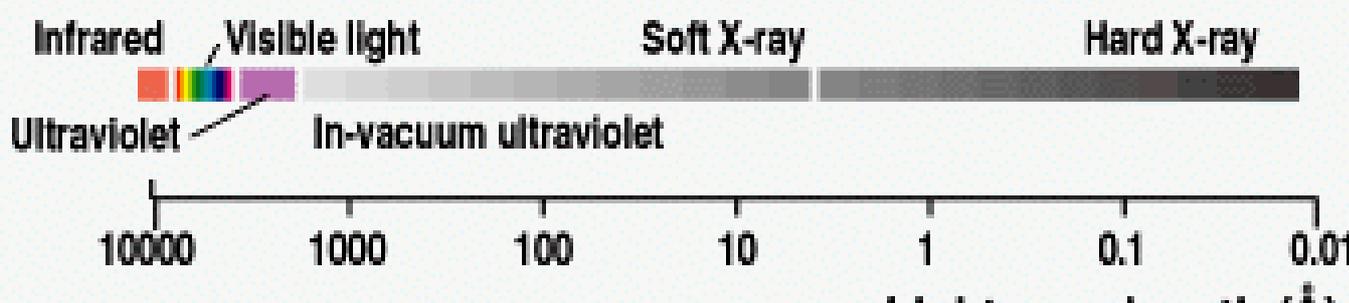
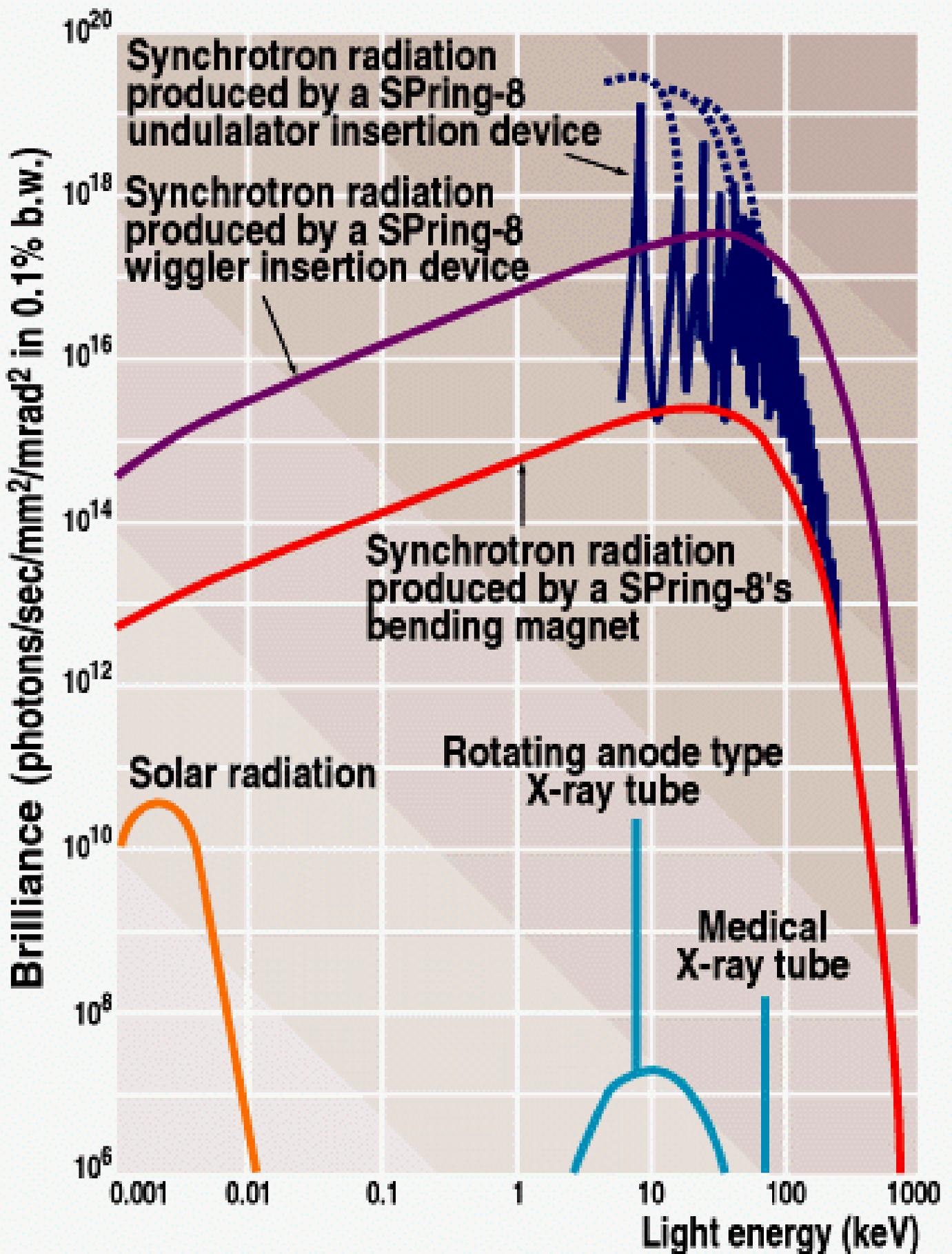


angular distribution : $\theta \sim 1/\gamma$

$$\varepsilon = \gamma(1 + \beta \cos \theta) \Delta E \quad \begin{matrix} \triangleright (2\gamma - \gamma \theta^2/2) \Delta E \\ \gamma \triangleright \infty \\ \theta \triangleright 0 \end{matrix}$$

@20GeV/u U

$\varepsilon \sim 3\text{MeV}$



Summary

New Way of High Resolution Spectroscopy in X-ray Range

1-10 Million Ions are Enough • • • HCl, Short-Lived Nuclei

Dynamics in Ion-Crystal Interaction

X-ray Dressed States

New Polarized Gamma Ray Source • • • Conversion from Virtual Photon to Real Photon

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TMU
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T.Muranaka

NIRS
E.Takada
T.Murakami

K.Komaki

T.Kondo

Y.Yamazaki



Angular Distribution of X-rays

$$I(\theta') = A \cos \theta'$$

$$\tan \theta = \frac{(1 - \beta^2)^{1/2} \sin \theta'}{\cos \theta' + \beta}$$