

# **Spin Polarized (Metastable) Highly Charged Ions A Probe for the Magnetic Structure of Nuclei?**

Or

**What you can do  
with a 100% spin polarized electron target?**

**GSI, 11.12.2002**

**Idea 1:**  
**Prepare spin-polarized nuclear beams**

**Highly stripped ions capture  
several spin-oriented electrons**

**Transfer shell polarisation on nucleus**

# **magnetic structure of ionic shell : dipole moment**

**Can create by electron capture *any* species  
of metastable ionic states:**

e.g. He-like  $^3S_1(1s,2s)$

or

Li-like  $^4P_{1/2,3/2,5/2}(1s,2s,2p)$   
or

Be-like  $^3P_{0,1,2}(1s^2, 2s, 2p)$

etc

**only  $\Delta F=1$  transitions**

# Idea 2: use hyperfine interaction and measure the hyperfine energy splitting and hyperfine quenching (decay time) of spin polarized metastable shell states

## Atomic lifetimes for highly charged ions

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May 8, 2001

### Abstract

In this talk I give an overview of the present status of our theoretical understanding of Lifetimes. I discuss a few examples and describe the latest measurement of Hyperfine Quenching of gold at GSI. I discuss prospects for new experiments with applications to nuclear physics

#### Experiment:

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# Hyperfine Splitting

20.3 Die Hyperfein-Wechselwirkung

361

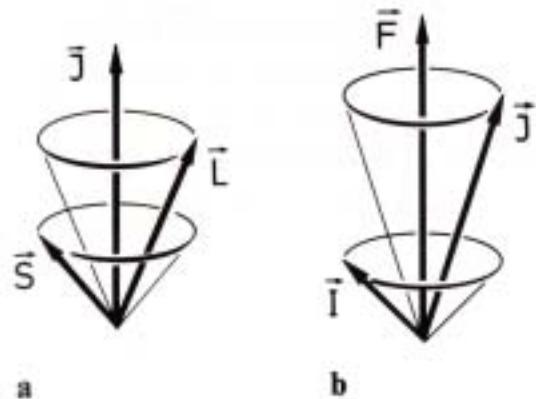


Abb. 20.3. a) Kopplung der Vektoren  $S$  (Spin) und  $L$  (Bahndrehimpuls) zum Gesamt-Elektronendrehimpuls  $J$  der Elektronenhülle.  
b) Kopplung der Vektoren  $J$  (Elektronen-Drehimpuls) und  $I$  (Kern-drehimpuls) zum Gesamtdrehimpuls  $F$  des Atoms

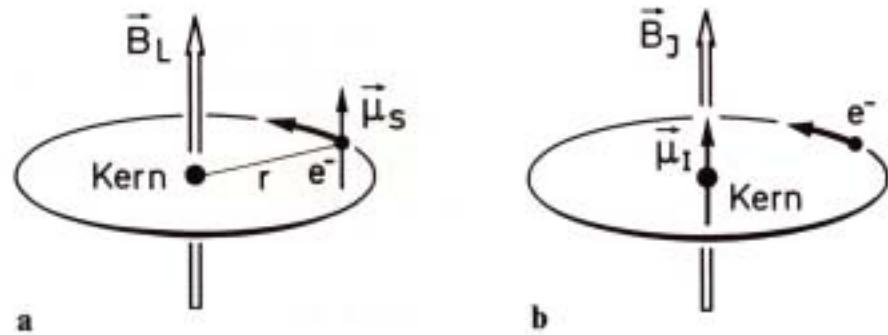


Abb. 20.4. a) Zur Berechnung der Spin-Bahn-Wechselwirkung: Das magnetische Eigenmoment  $\mu_s$  der Elektronen tritt mit dem magnetischen Feld der Bahnbewegung  $B_L$  in Wechselwirkung. b) Zur Berechnung der Hyperfein-Wechselwirkung: Das magnetische Moment  $\mu_I$  des Kerns tritt mit dem magnetischen Feld der Elektronenhülle  $B_J$  in Wechselwirkung

## Hyperfine Splitting

$$V_{\text{HFS}} = -\mu_I B_J \\ = -|\mu_I| B_J \cos(\mu_I, B_J) = \\ -|\mu_I| B_J \{F(F+1) - I(I+1) - J(J+1)\} / (2 \sqrt{J(J+1)I(I+1)})$$

**Depends NOT on the multipole character  
of the nuclear magnetic moment**

## Total Angular Momenta $\mathbf{F}$

Example:

$J=S=1(L=0)$  and  $I=3$

$\Rightarrow F=2,3,4$

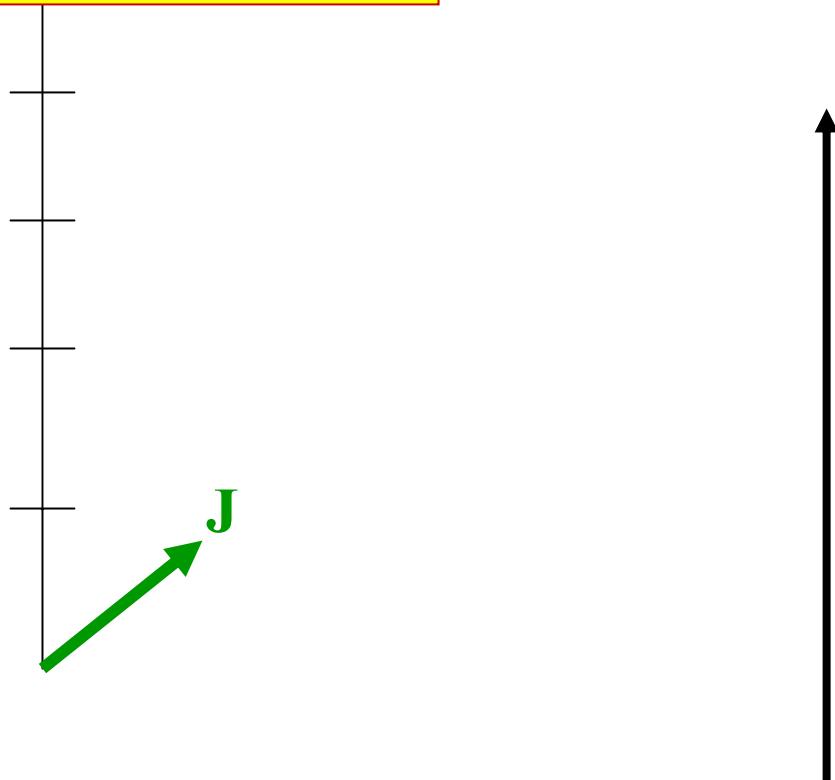
## Total Angular Momenta $\mathbf{F}$

Example:

$$\mathbf{J}=\mathbf{S}=1 \quad (\mathbf{L}=0) \quad \text{and} \quad \mathbf{I}=3$$
$$\Rightarrow \mathbf{F}=2,3,4$$

$\mathbf{J}=\mathbf{S}=1$

$\mathbf{S}$  is fixed in space with respect to z-axis



Z axis

## Total Angular Momenta $\mathbf{F}$

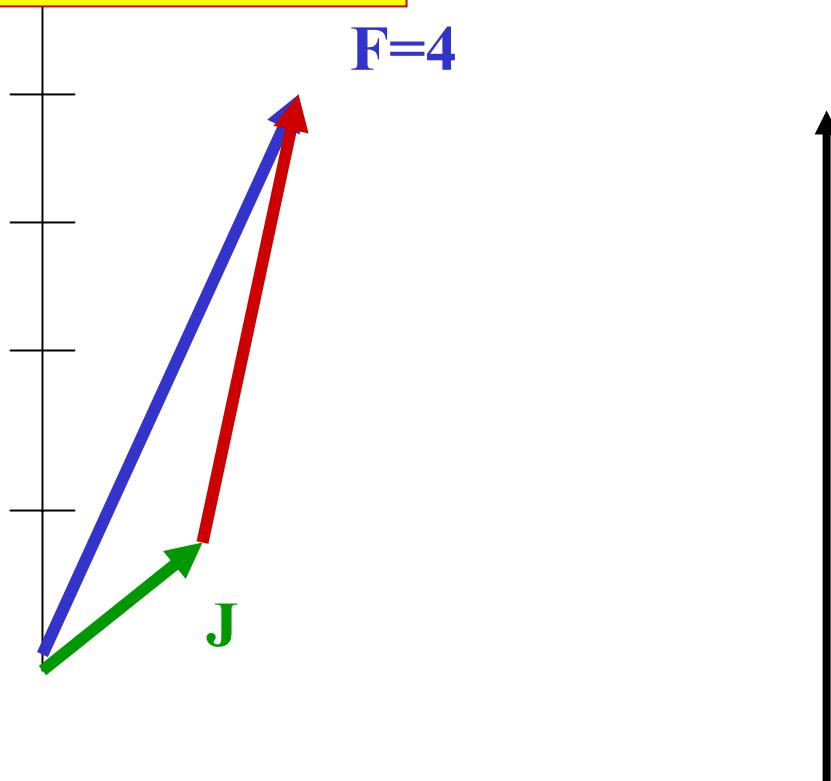
Example:

$J=S=1(L=0)$  and  $I=3$

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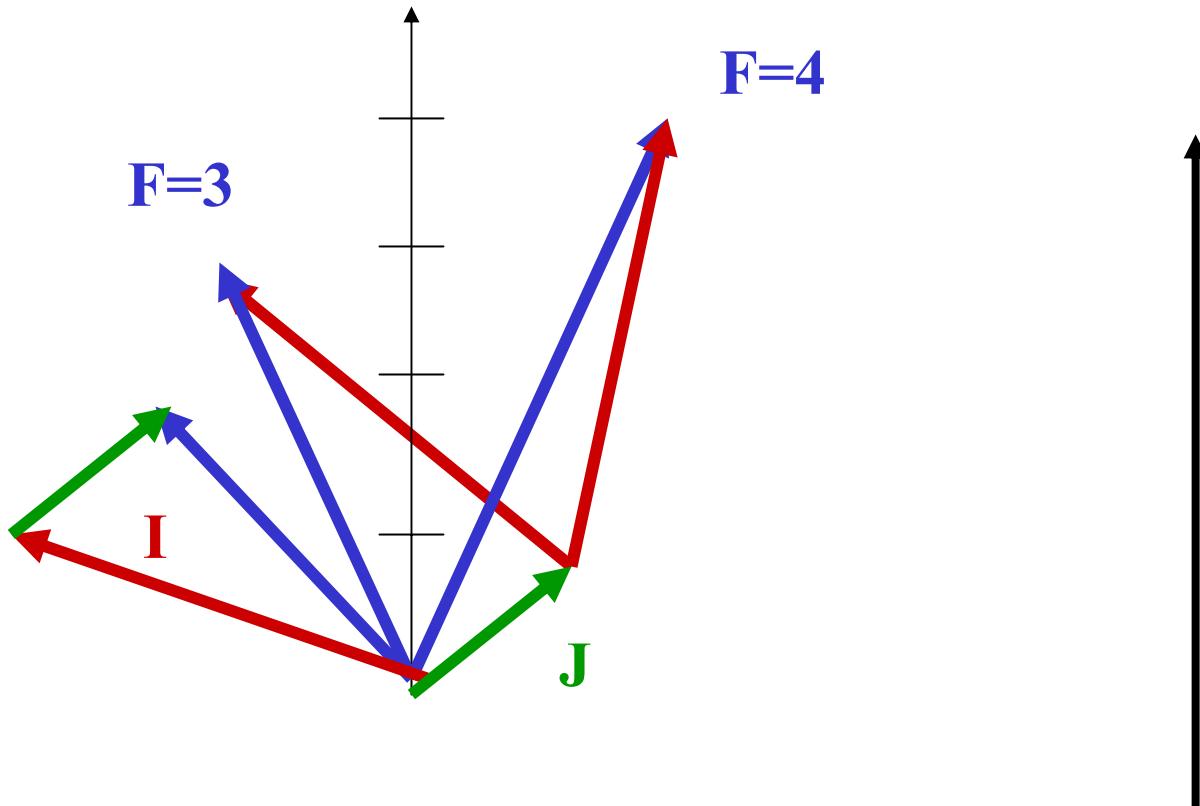
Z axis

## Total Angular Momenta $\mathbf{F}$

$$\Rightarrow \mathbf{F} = 2, 3, 4$$

$$J=S=1$$

$S$  is fixed in space with respect to z-axis

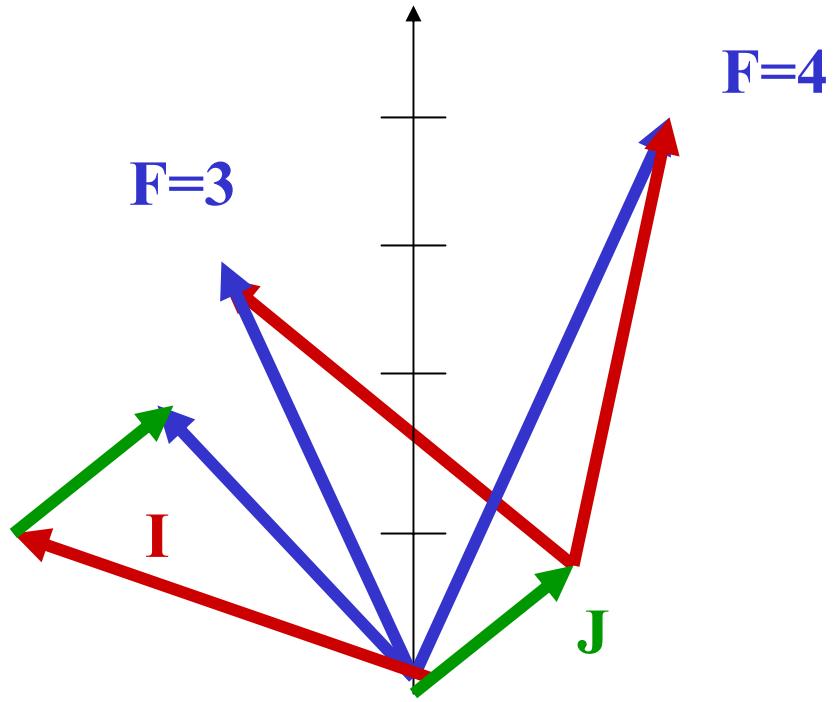


Z axis

**Total Angular Momenta  
 $F$  for  $J=S=1(L=0)$  and  $I=3$   
 $\Rightarrow F=2,3,4$**

**$J=S=1$**

**$S$  is fixed in space with respect to z-axis**



Z axis

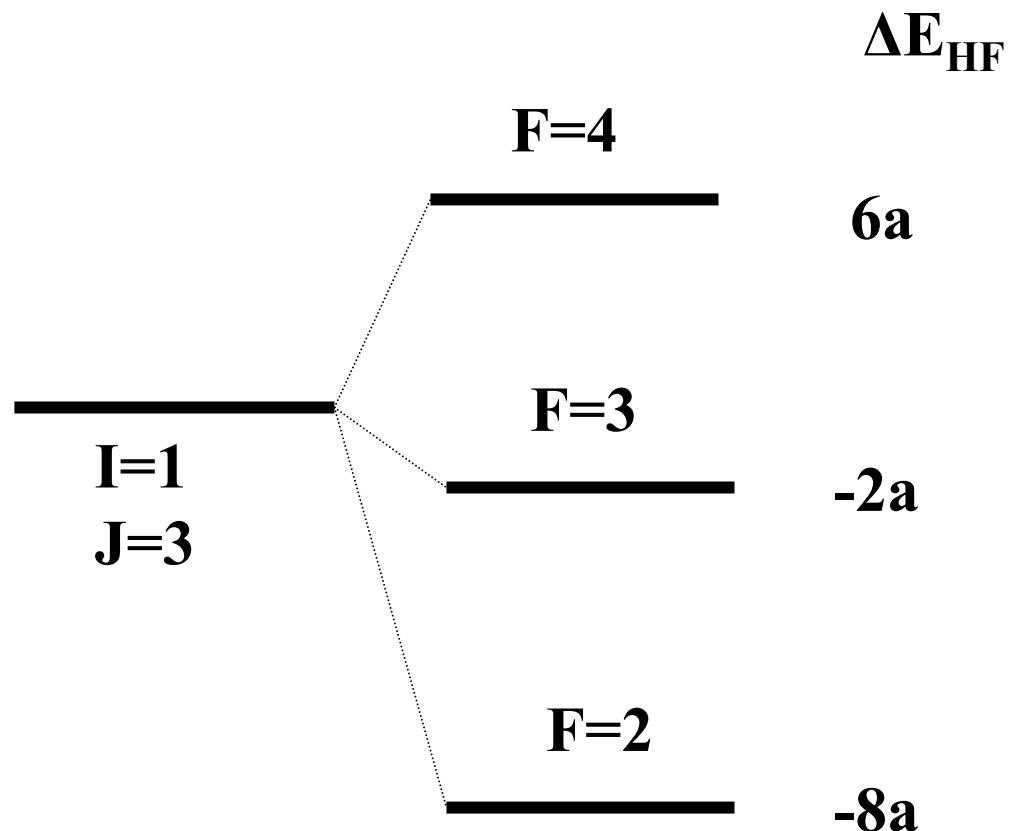
**In case of  $F=4$**

**$\Rightarrow I$  can only be parallel to  $S$**

**In case of  $F=2$**

**$\Rightarrow I$  can only be antiparallel to  $S$**

# Hyperfine Splitting

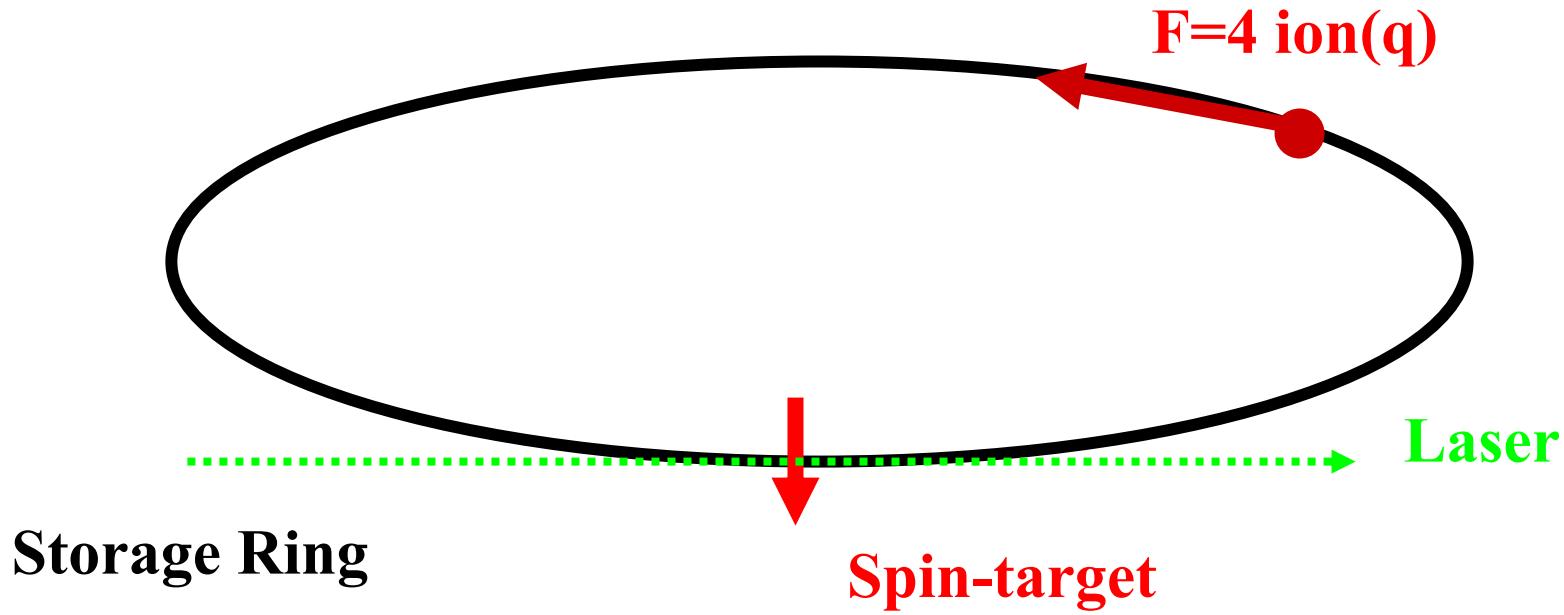


Can pump all F by circular photon (laser, maser)  
into max F state

Since orientation of S in Lab system is fixed

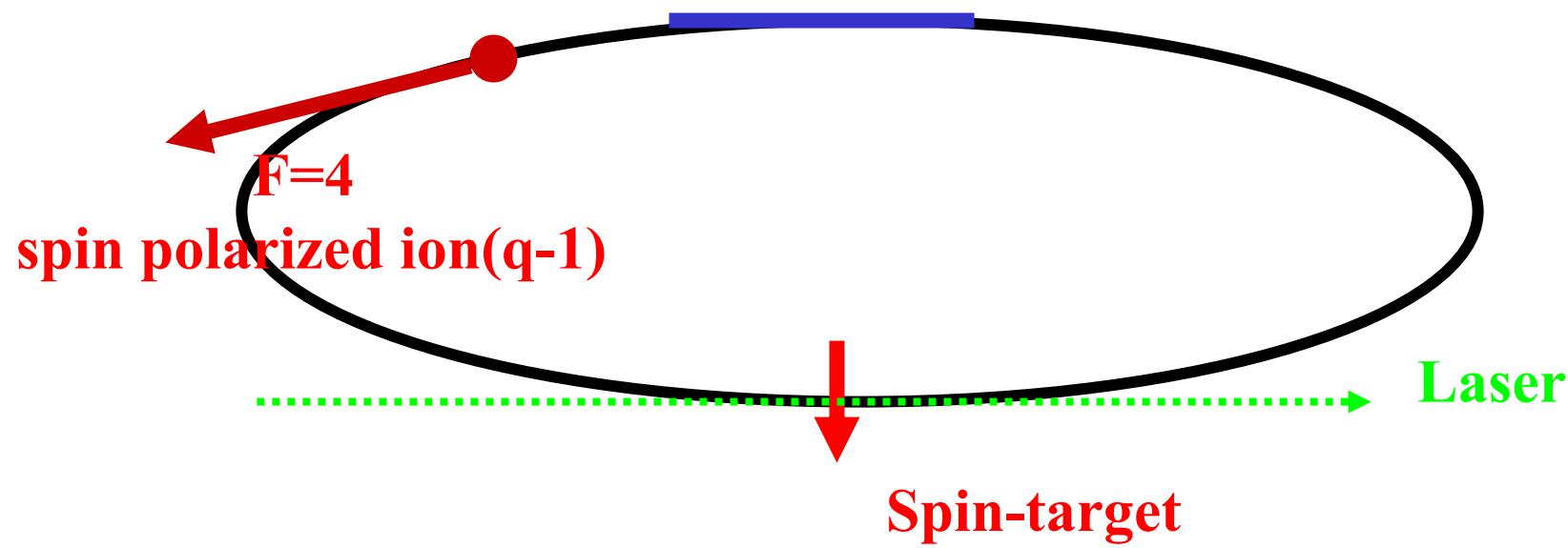
=>

Ionic beam is *100%* spin polarized



Can pump all F by circular photon (laser, maser)  
into max F state

E-Cooler  
Di-electronic recombination



**What can one learn about the  
Magnetic Structure of Nuclei  
when measuring the hyperfine quenching of  
Meta-stable Highly Charged Ions  
with high S quantum number?**

**magnetic structure of ionic shell : dipole moment**  
**Metastable state:**  
**He-like  $3S_1(1s,2s)$  or Be-like  $^3P_{0,1,2} (1s^2, 2s, 2p)$  ....**  
**only  $\Delta F=1$  transitions**

## Why studying lifetimes in heavy ions?

1. Not sensitive to the same correlation contribution as energies (e.g., single excitations)
2. Not sensitive to the same part of the wave function (can be adjusted by choosing different multipoles)
3. Metastable levels can be very sensitive to weak perturbations  $\Rightarrow$  good tool to study energy differences that cannot be reached directly, nuclear magnetic moments, parity violation...
  - Measurement of 2s Lamb shift in H-like Ar by measurement of the  $2s$  lifetime in an electric field (Marrus and Gould, 1974).
  - Measurement of  $1s2p^3P_0 - 1s2p^3P_1$  separation when nuclear magnetic moment is known by Hyperfine Quenching.
  - Measurement nuclear magnetic moment assuming  $1s2p^3P_0 - 1s2p^3P_1$  separation is known.
  - Negative energy continuum and other relativistic/QED effects

All metastable ionic shell states can only decay by spin flip.

Only the nuclear magnetic moment does induce spin flip in the ionic shell.

Dependent on the I,J,F and m-values, different magnetic multipoles will contribute to the quenching process

Hyperfine quenching

$1/\tau \sim$

$\langle \Psi_{I_f, J_f, F} | \text{magnetic multipole} | \Psi_{I_i, J_i, F} \rangle$

Depends on the multipole character!

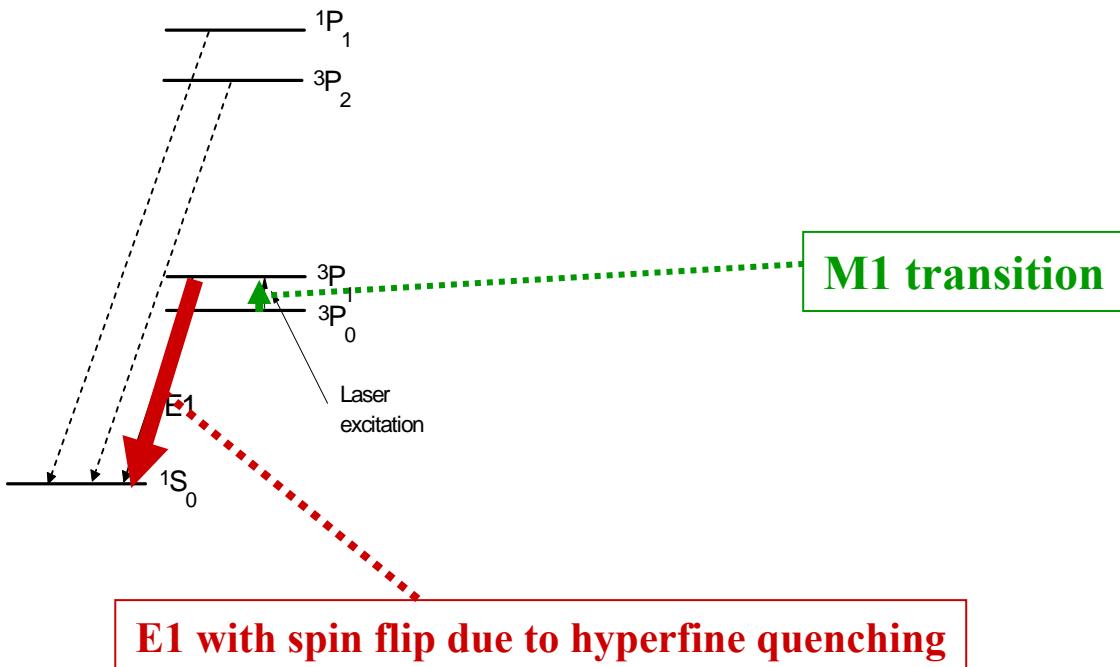
Fig. 1: The level scheme of the first excited states in Be-like ions

$S\mathbf{L}_F$

$\Delta n=0$  transitions in Be-like Kr

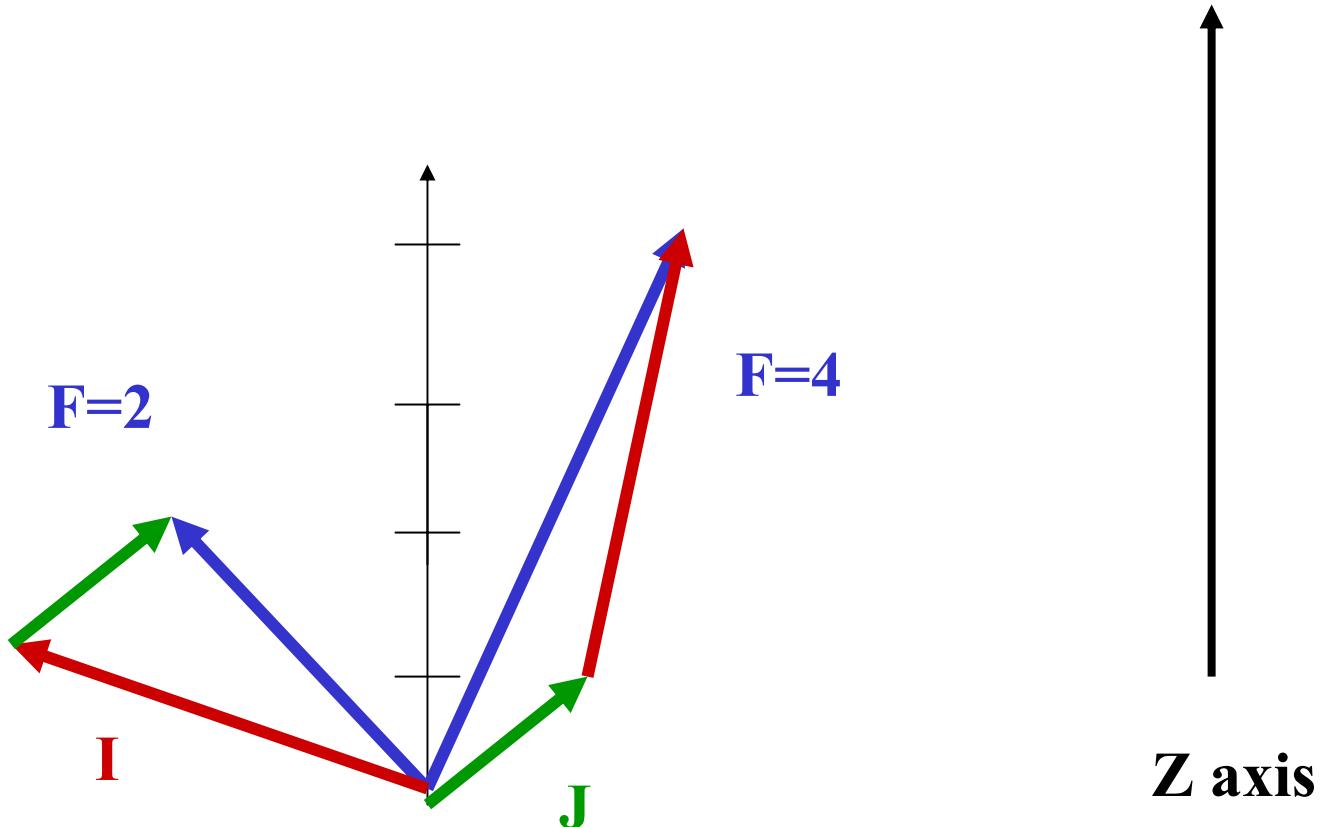
Excitation energy  ${}^3P_0 - {}^3P_1$ : 10.36 eV

Fluorescence radiation E1: 72.98 eV



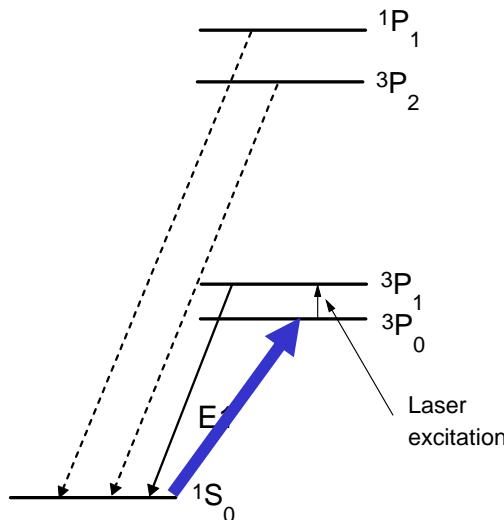
The transition from the  ${}^3P_1$  to the  ${}^3P_0$  state is a **M1-transition with an associated decay time of about 100  $\mu$ s in the case of the 10.4 eV level spacing in krypton**. A typical frequency-doubled dye laser pulse of 5 ns duration and 20mJ of power at 0.1 cm<sup>-1</sup> bandwidth will suffice to transfer 50% of those ions that match the laser bandwidth within their Doppler width into the  ${}^3P_1$  state. **From  ${}^3P_1$  they will decay to the ground state within about 1 ns**, emitting a photon of 73 eV. For the numbers given above (  $3 \times 10^8$  ions, 10 % in the metastable state,  $\Delta p/p < 10^{-4}$  and a bunch length of 15 meters) this will imply the emission of more than  $10^6$  photons after resonant excitation of the fine structure transition.

**Decay rate of metastable ionic state due to hyperfine quenching depends on relative orientation of axial vectors ( $F$ ,  $I$ , and  $J$ )**

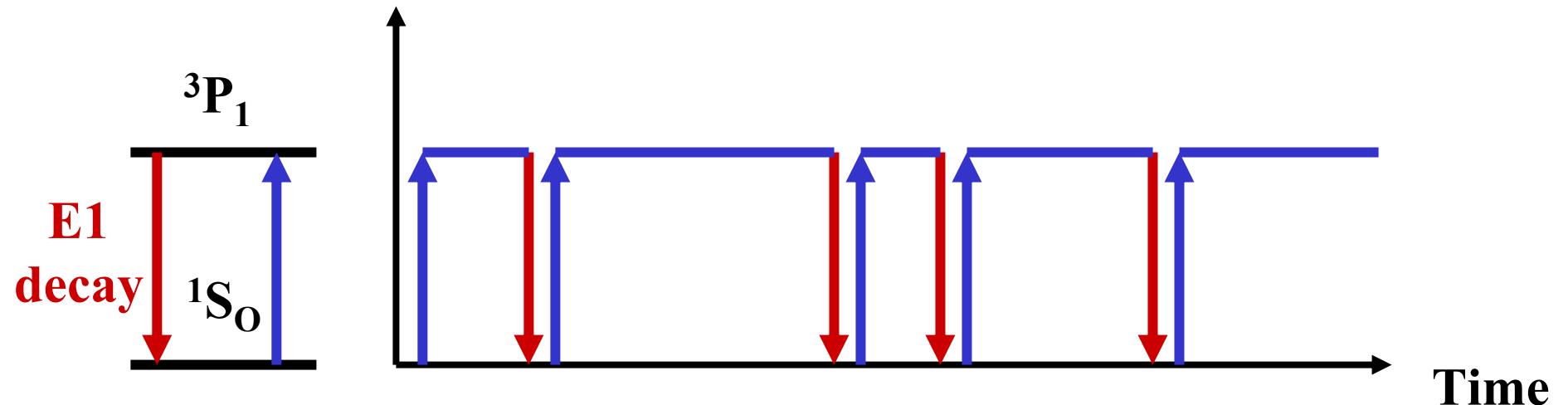


**Preparing the ion in different S and different F states  
one probes different magnetic features of the nuclear moment**

**Can store one ion in HITRAP and pump with circular polarized lasers (one or two photon absorption)  
ion back into excited state**



**Can excite  $^1S_0$  state to  $^3P_0$  state  
after each decay by two circular polarized photons**



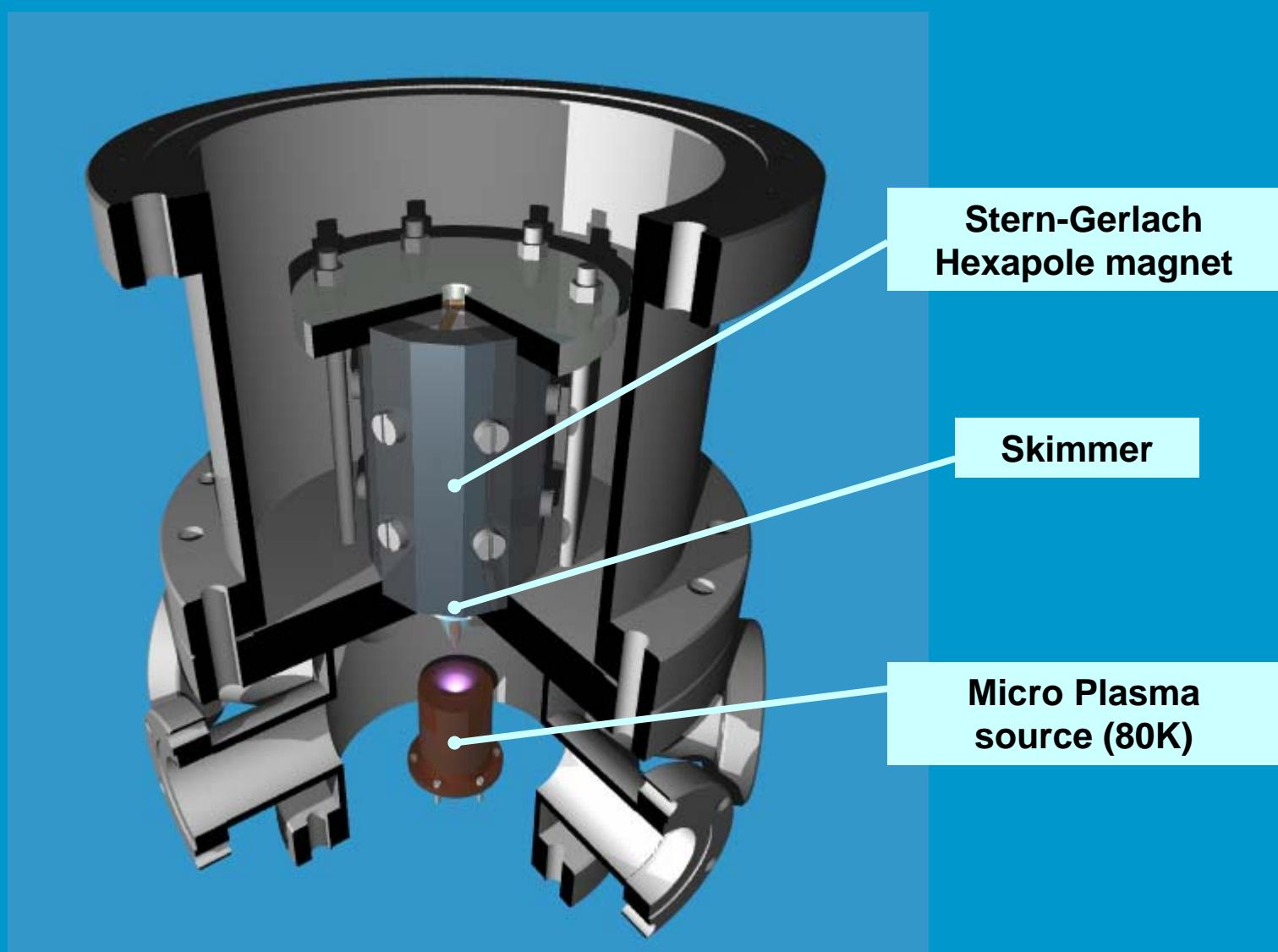
Pumping by  
circular polarized  
Laser excitation

$$\tau_{\text{decay}} = (\Delta\Omega_\gamma / 4\pi) / N_\gamma (1 - 1/\sigma_{\text{exc}} N_\gamma)$$

Where Laser excitation time is short compared to  $\tau_{\text{decay}}$

# **1. How to get 100% spin polarized electron target?**

# 1. Creation of 100% spin oriented matter (gas target)





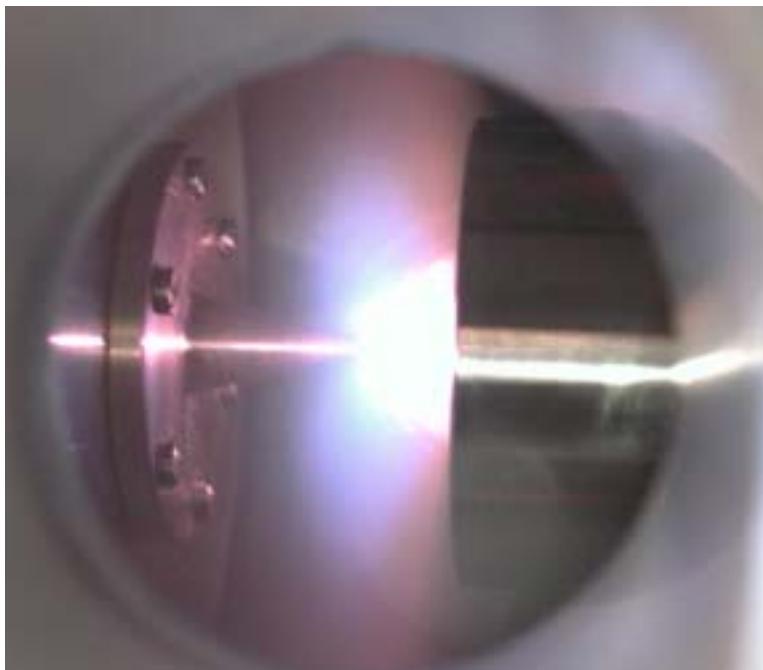
Plasmaquelle zur Erzeugung  
metastabiler He-Atome

+

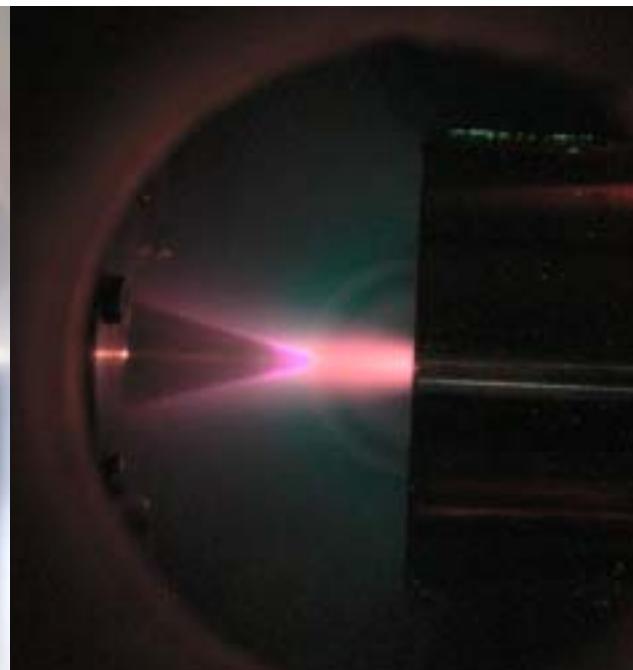


Separation der verschiedenen Zustände  
für Jetgeschwindigkeiten <1200m/s (He)

Compact source for polarized  $\text{He}^*$  or  $\text{H}^\circ$



ohne Extraktion, Plasmastrom ca. 10mA



mit ca. 2kV Extraktion, Plasmastrom 5-10mA



mit ca. 2kV Extraktion, Plasmastrom ca. 50µA (gepulst?)

# 3D-MSE auf Keramik-Basis

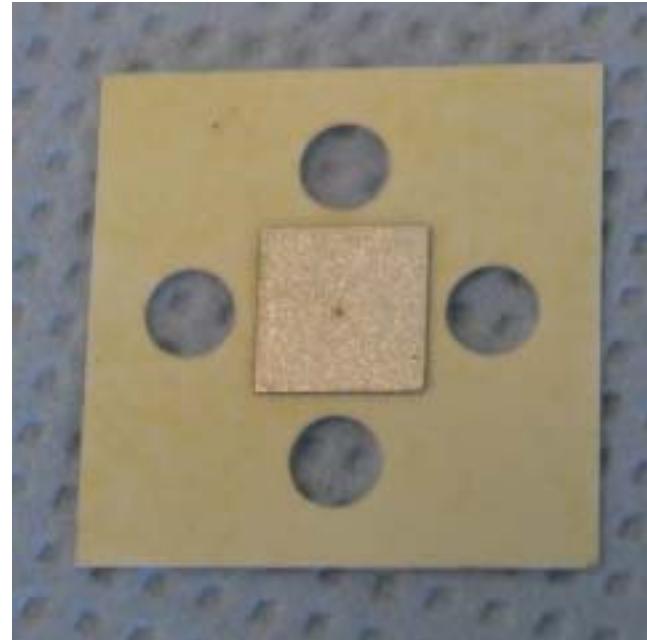
neue MSE mit Keramik als Isolator

## Vorteile der Keramik:

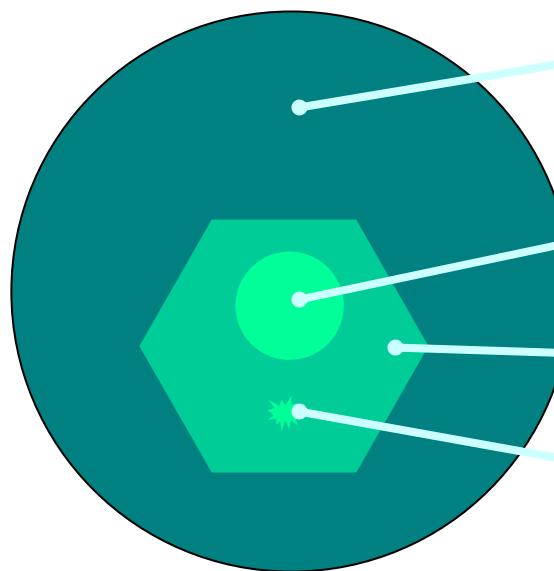
- robustes Mehrschichtsystem
- höhere Wärmeleitfähigkeit
- unempfindlich gegen Sputtering und UV-Strahlung
- lange Lebensdauer
- sauberes Material

## Nachteile:

- erhältliche Keramikfolie ist 5x bzw. 2x stärker
- aufwendige Lasertechnik zur Bearbeitung
- lange Bearbeitungszeiten für großflächige Systeme mit vielen Poren
- hoher Stückpreis



**Detector: Phosphor screen with  
Microchannelplates**



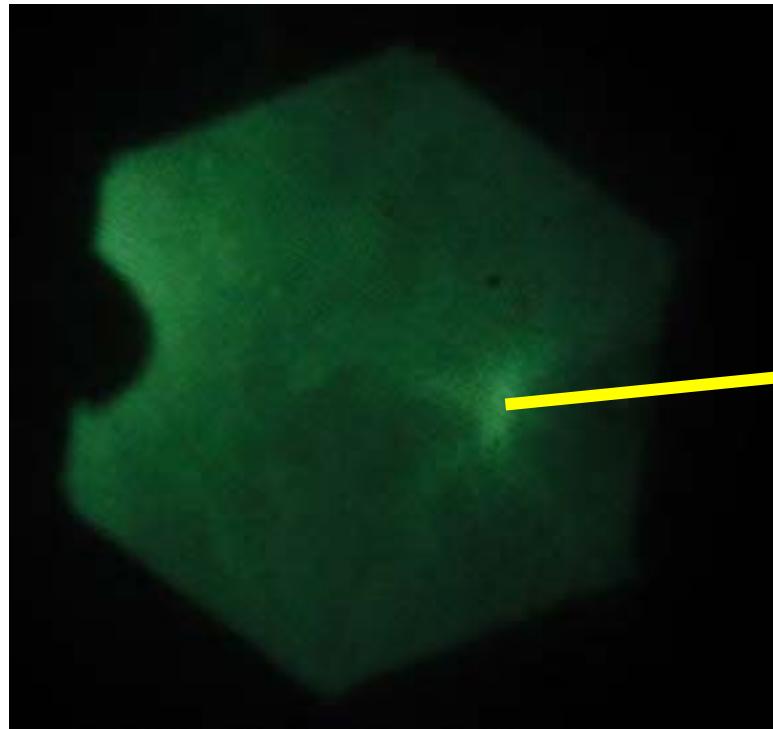
**Phosphor screen**

**UV-photons**

**Shadow of Hexapole  
magnet**

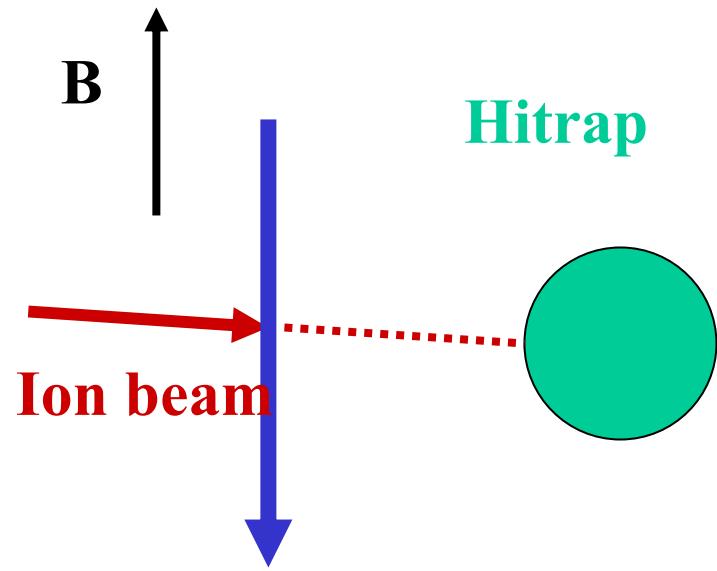
**$^3S_1$  Focus**

**Phosphor screen**



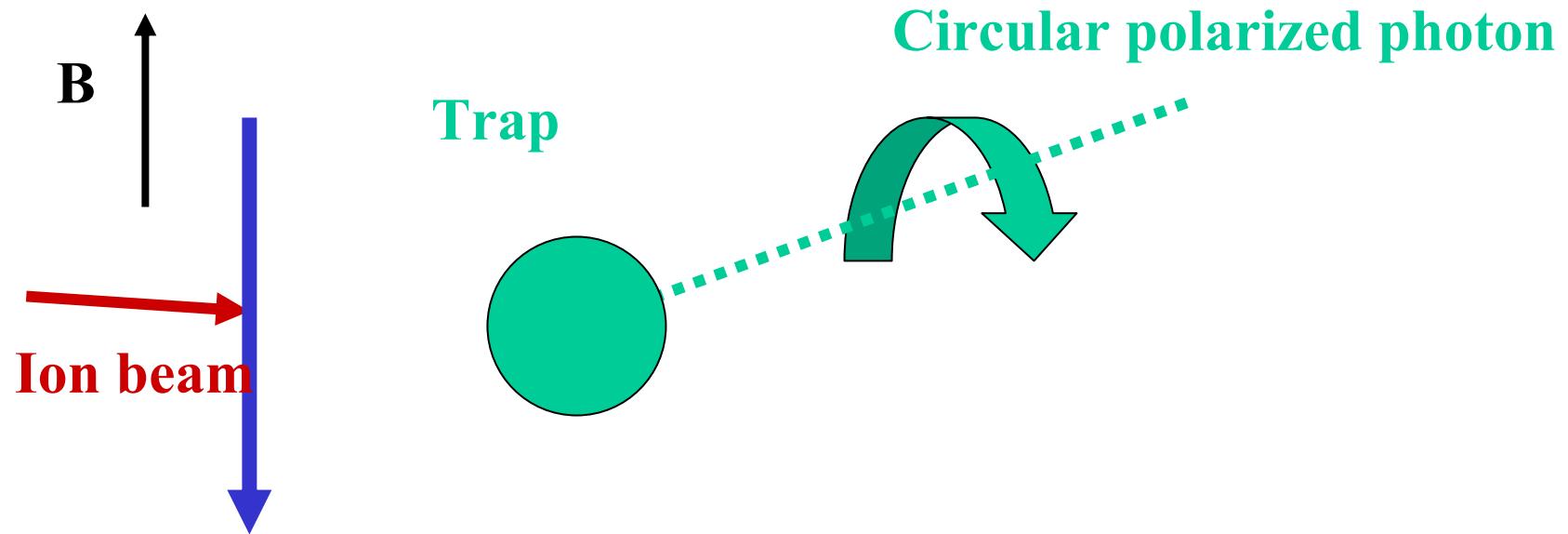
**Focus of  $\text{He}^*$   
 ${}^3\text{S}_1(1\text{s},2\text{s})$  atomic  
jet**  
**100% in  $m_s=+1$**

# Typical Trap experiment

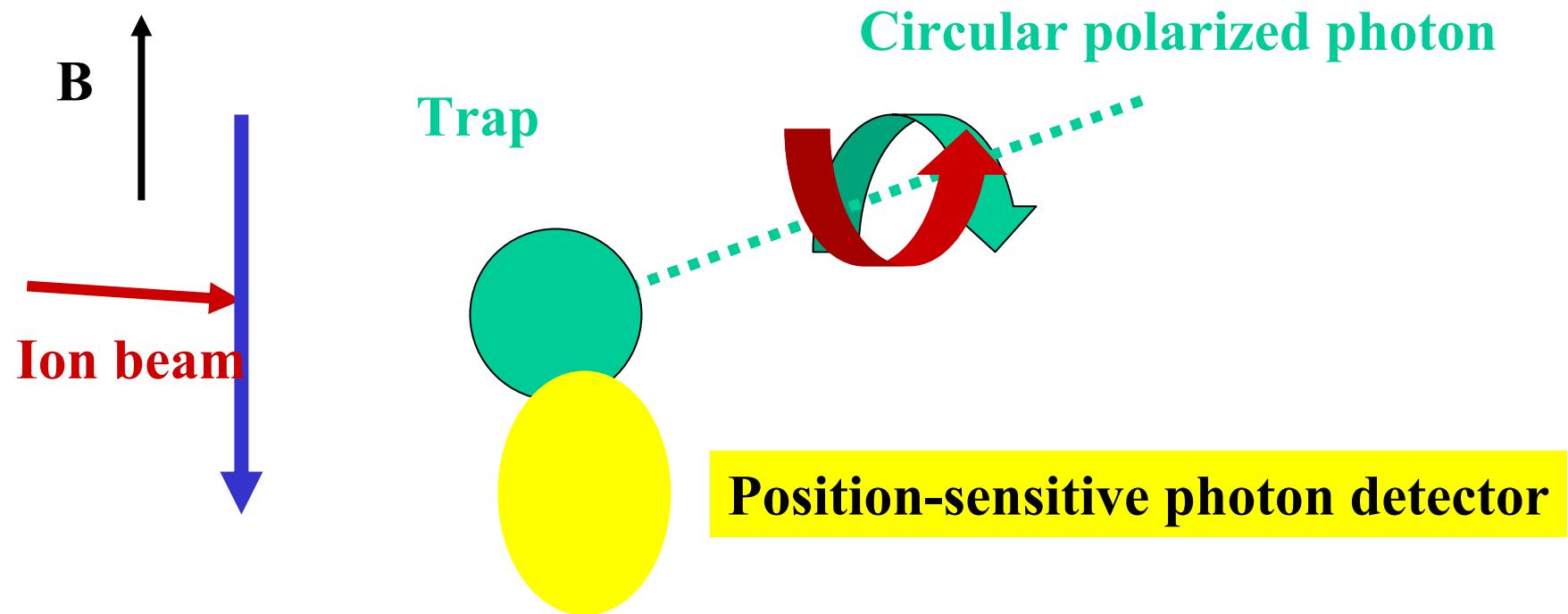


Electron capture  
in gas jet of spin  
oriented atoms

# Typical Trap experiment



## Typical Trap experiment



## Conclusion:

1. Using a 100% spinpolarized electron target  
One can prepare spin-polarized metastable  
highly charged ions

2. Can prepare spin-polarized nuclei

3. Can measure decay rates (hyperfine quenching)  
of  $\Delta F=1$  transitions for different metastable states  
and for different  $\cos(J,I)$

4. One can probe the different magnetic  
multipole moments of nuclei

5. Measuring the photon decay distribution  
for different relative F and Z orientations  
one can make symmetry tests in nuclear transitions

**Coworkers:**  
**Till Jahnke, Sven Schößler,**  
**Olliver Hohn, Angela Bräuning-Demian,**  
**Lutz Spielberger, Matthias Smolarski,**  
**Reinhard Dörner, Siegbert Hagmann,**  
**Thomas Stöhlker, Joachim Ullrich et al.**

**We do control the orientation of F and  
the photon polarization Z  
in the lab system and  
can vary the angle between the two axial vectors**

**We can measure the distribution of the polar  
momentum vector  $p_\gamma$  of the emitted photons with  
respect to the orientation of the above vectors**

**the excitation and decay rate in the lab system  
should depend on the orientation of these axial  
vectors**

# Measure the photon emission rate ( $N_\gamma$ ) in the lab system with respect to F and Z

Similar to the Wu experiment

We measure  $N(p_\gamma)$  with respect to  $F$  and  $Z$

Is  $N(p_\gamma)$  for  $F \times Z$

Equal to

$N^*(p_\gamma)$  for  $(-F) \times (-Z)$  ?

Sensitive to symmetries in transitions,  
since two or more axial vectors are controlled